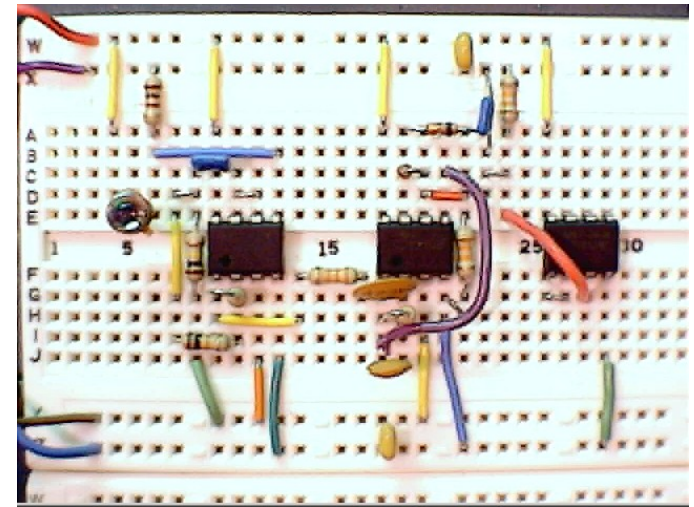
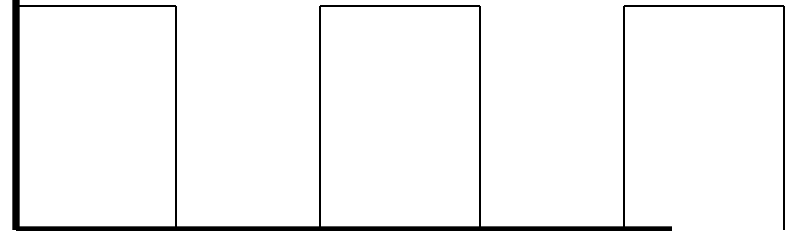


Lecture 2 – Analog circuits

..or How to detect the Alarm beacon



I



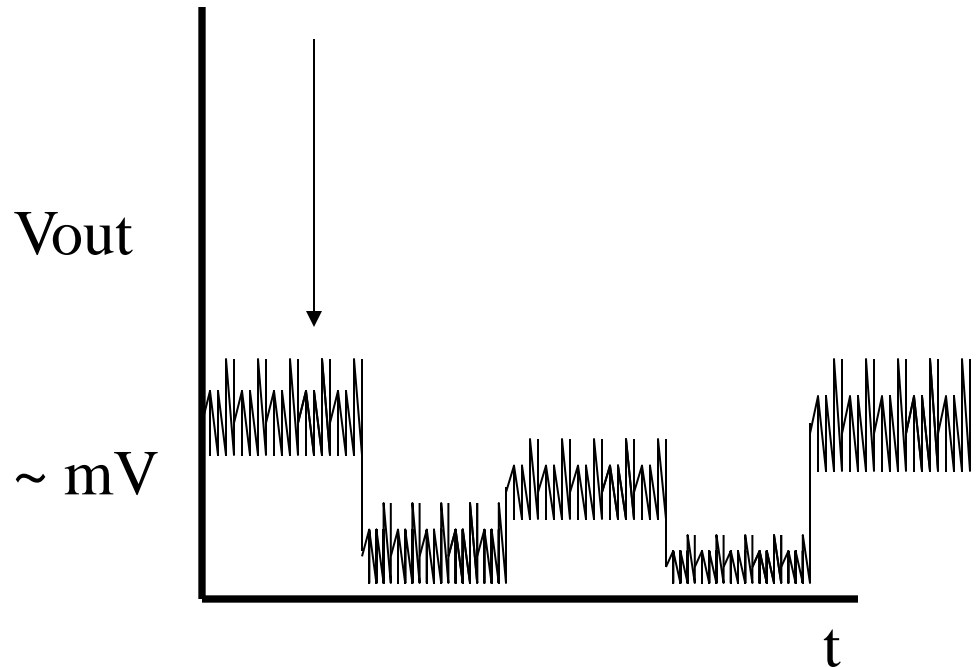
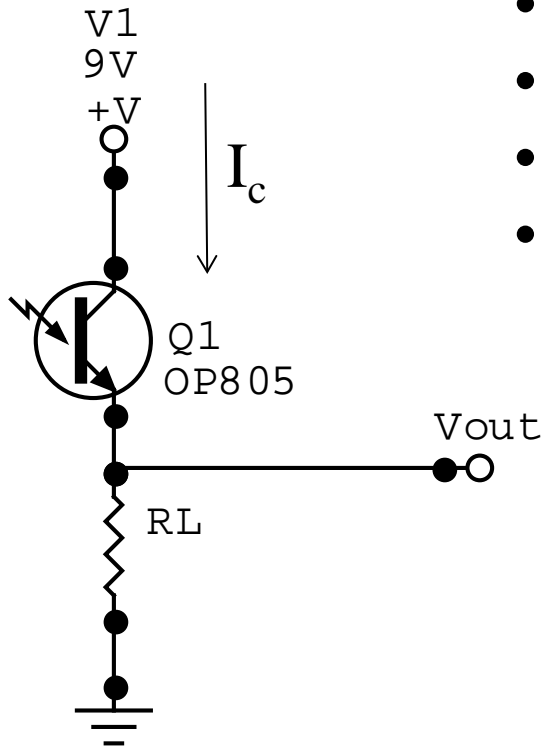
t

IR detection

Noise sources:

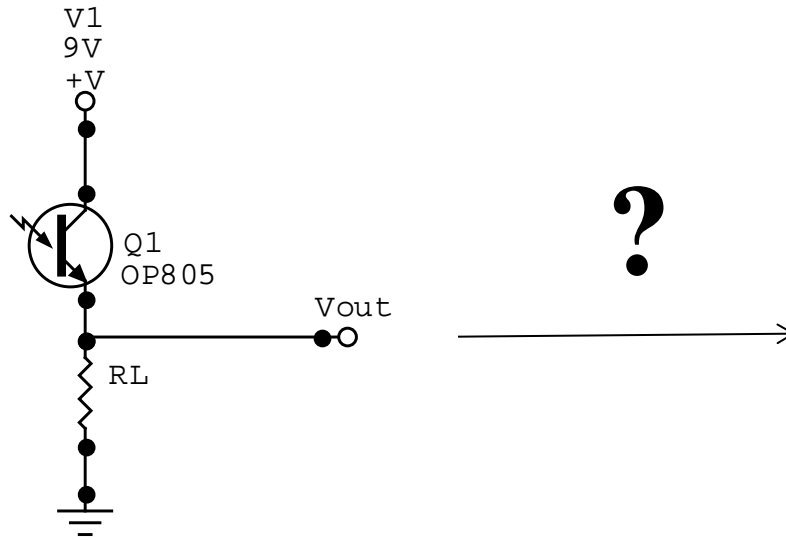
- Electrical (60Hz, 120Hz, 180Hz....)
- Other electrical
- IR from lights
- IR from cameras (autofocus)
- Visible light

IR light
generates
collector
current

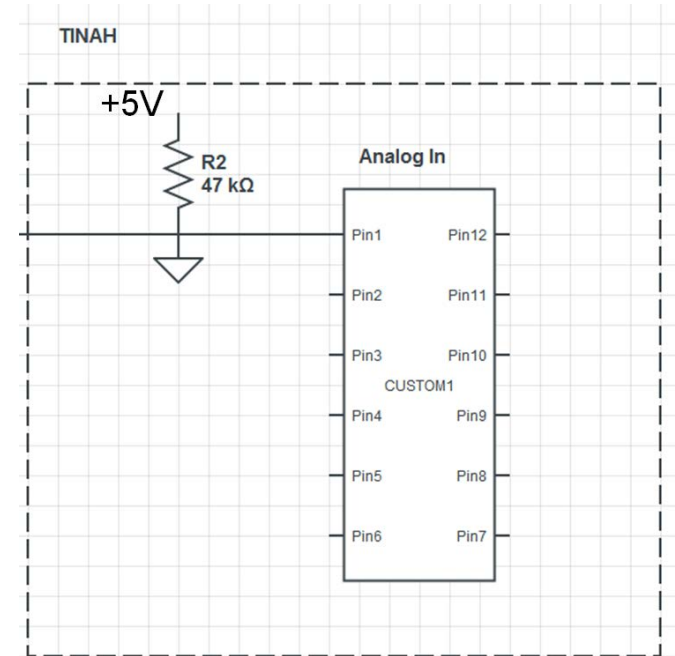


What we want: 0 – 5 V DC signal representing the IR amplitude.

Analog signal processing



?

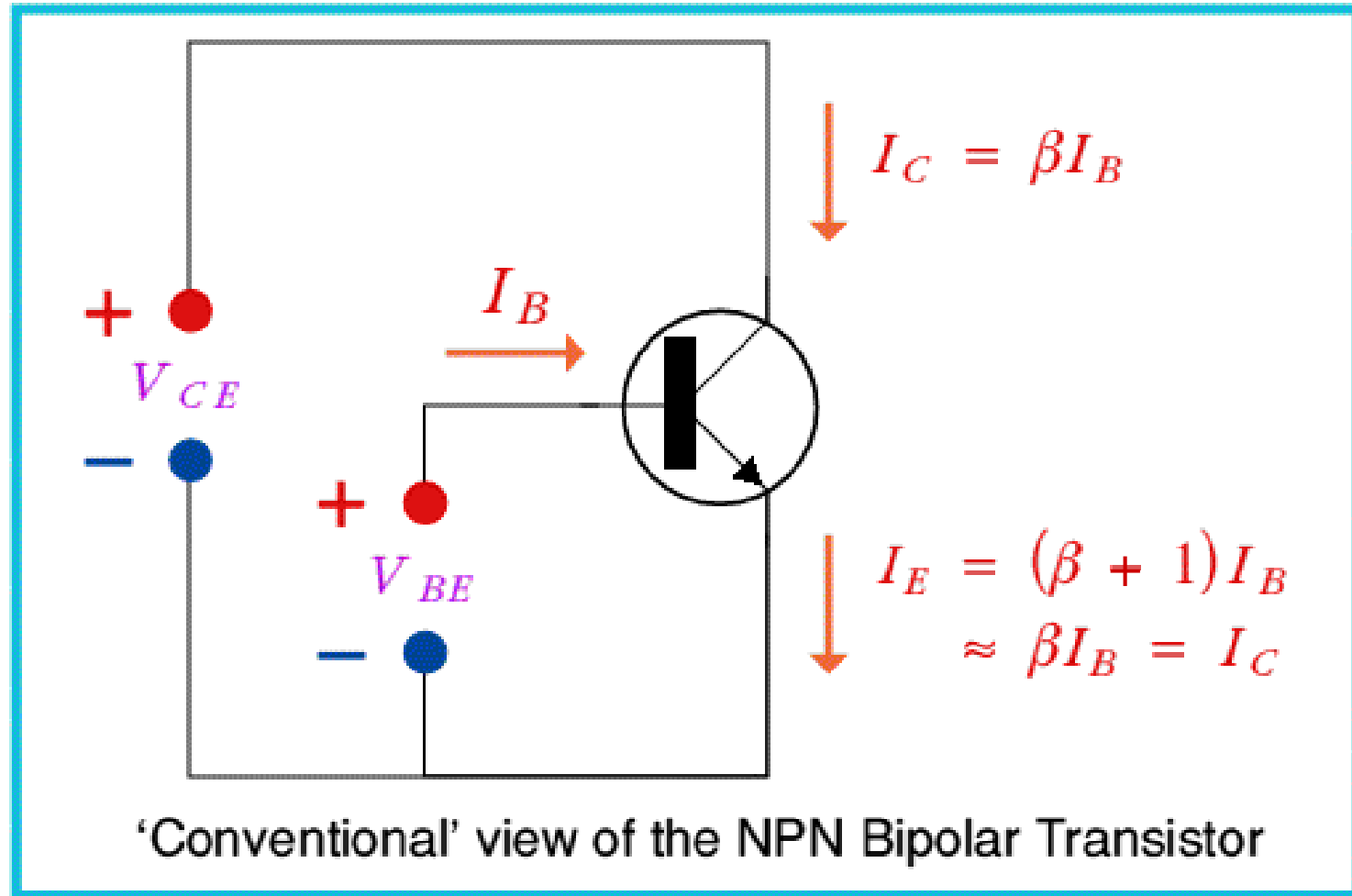


Problems:

- IR signal is AC, TINAH analog needs DC(?)
- IR signal is low (few mV), TINAH range is 0-5V
- Can TINAH sample analog inputs fast enough to distinguish 1kHz from 10kHz?
- Other IR sources could interfere with beacon signal

Discrete devices: BJT

Bipolar Junction Transistors



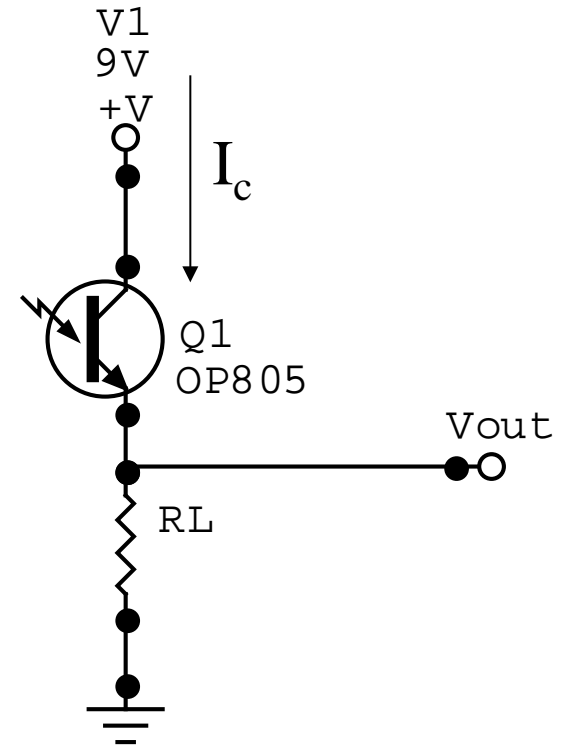
Analog circuits – discrete devices: BJT

Application: light detection

Phototransistor:

Acts like BJT except charge carriers generated by incident light add to the base current.

In other words, $I_c \propto \text{Incident light}$

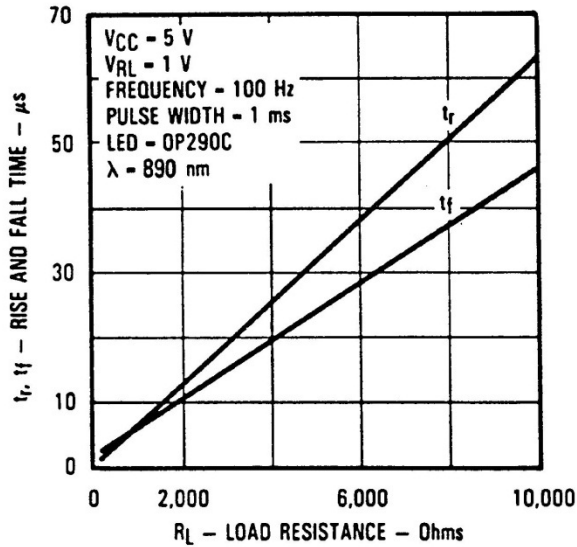


IR detection

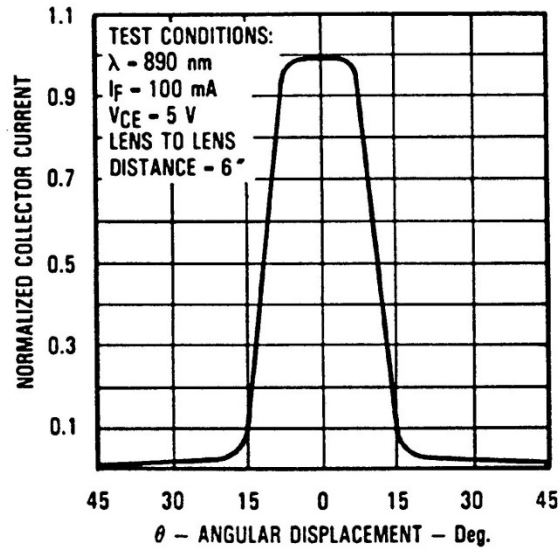
Build a circuit that:

- Uses an OP805 and a resistor to detect variations in light with a voltmeter.
- Determine whether increasing or decreasing the load resistance makes it more sensitive
- ❖ Note: OP805 will see some room light – use your hand to block it, and use the voltmeter to detect the change in signal.

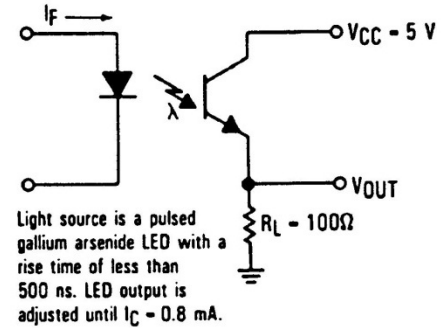
Rise and Fall Time vs. Load Resistance



Normalized Collector Current vs. Angular Displacement



Switching Time Test Circuit



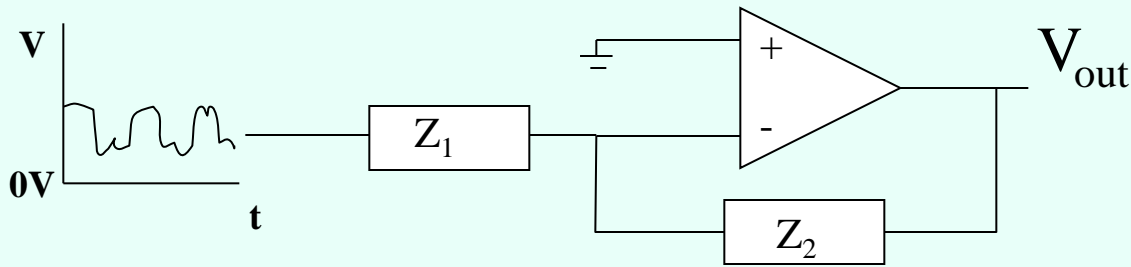
Selecting R_L

$$V_{out} = I_C * R_L$$

Analog circuits – filtering and detection

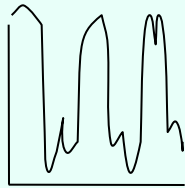
$$Z_2/Z_1 = 3$$

What is the result of the following:

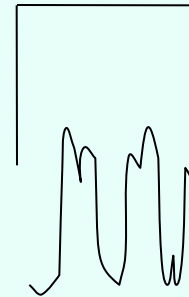


$V_{out} =$

1)



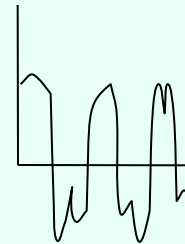
3)



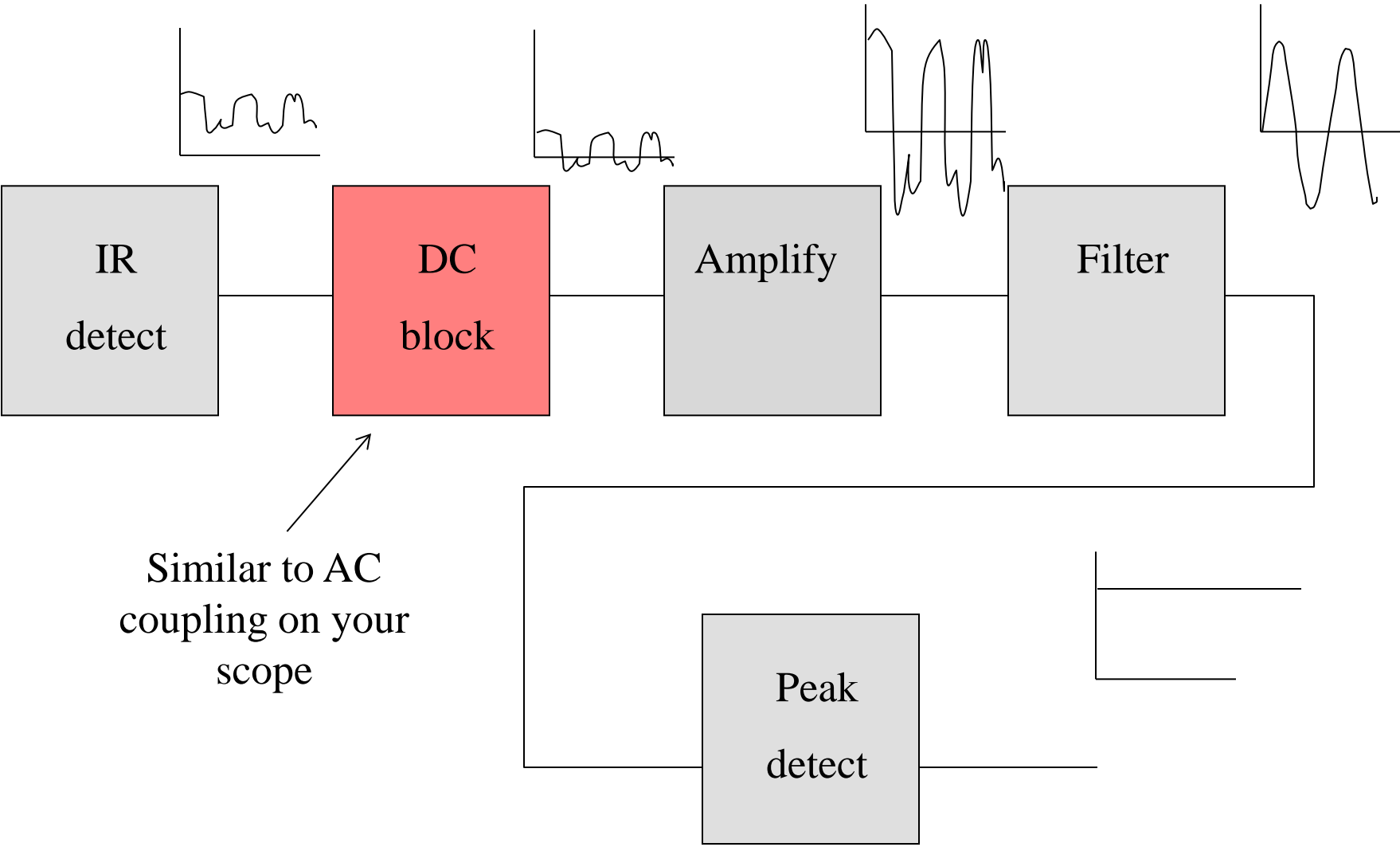
2)



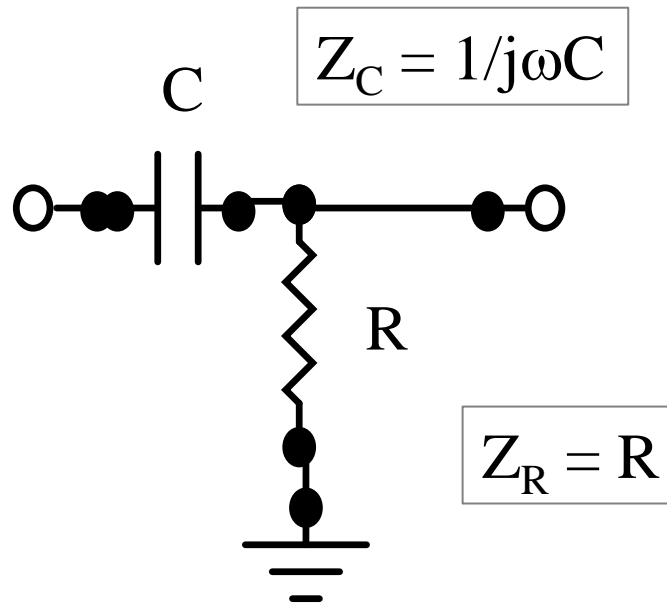
4)



Analog circuits – filtering and detection



Analog circuits – DC block



Capacitors:

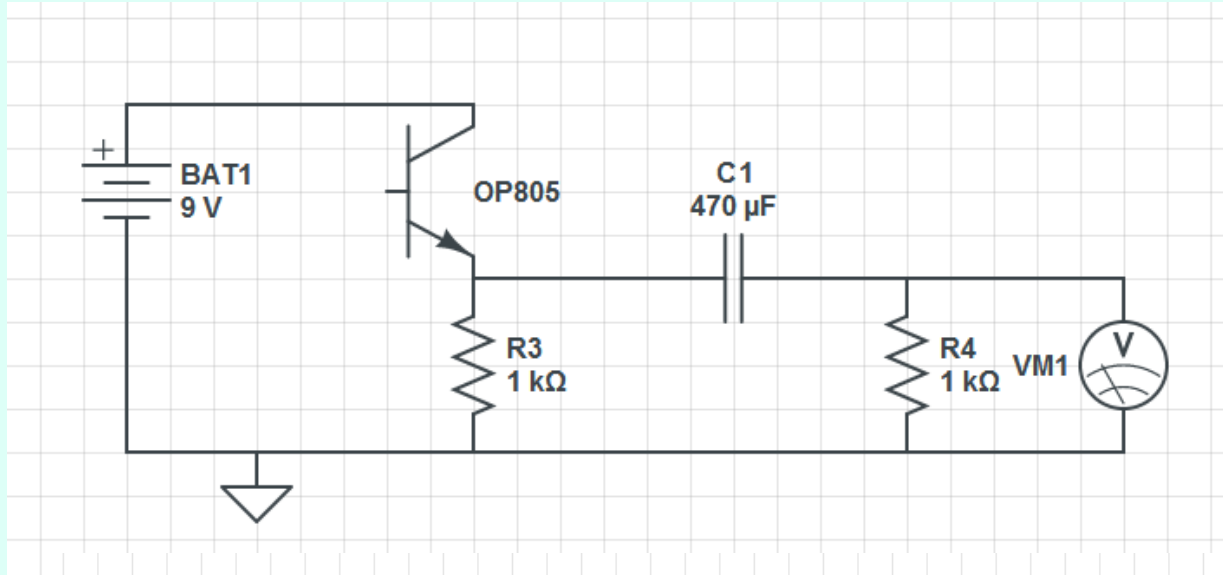
- Block DC
- Pass high frequencies $> 1/(2\pi RC)$

DC block

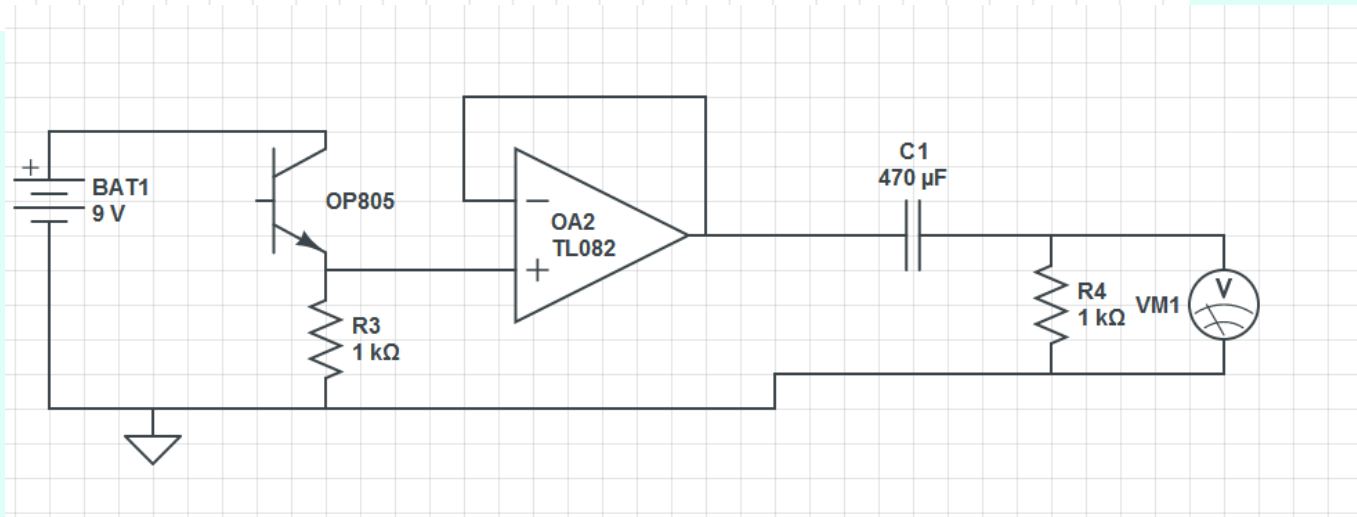
Imaging adding a DC block to your photodetector circuit:

- Which circuit would you build? Why?

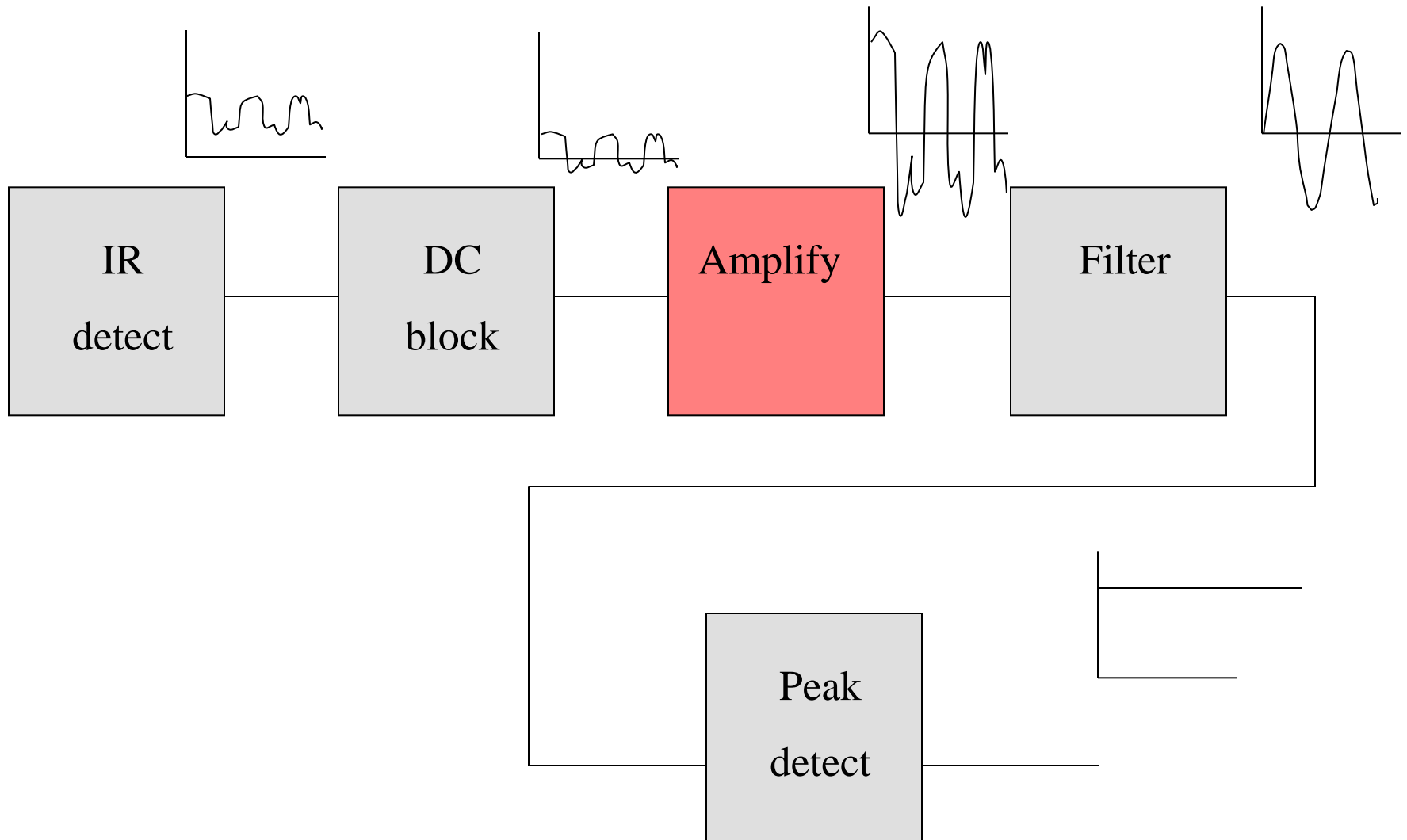
1)



2)

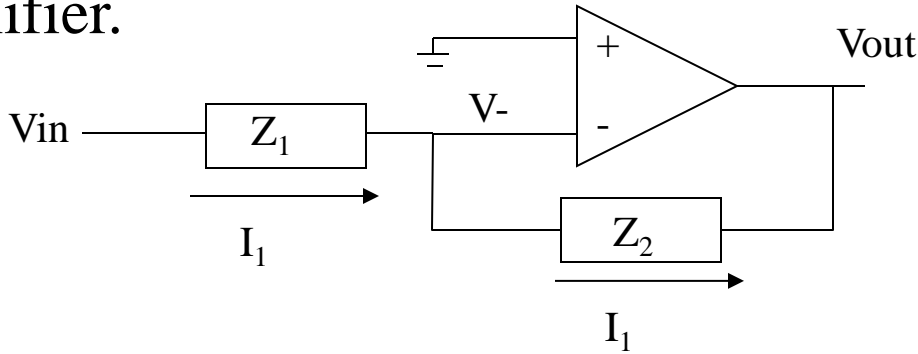


Analog circuits – filtering and detection



Analog circuits: Op-amps

Eg: Inverting amplifier.



$$V_- = 0$$

$$I_1 = V_{in}/Z_1$$

$$V_{out} = 0 - Z_2 I_1$$

$$V_{out} = - (Z_2/Z_1) V_{in}$$

$$\text{Eg 1: } Z_2 = 100\text{k}\Omega$$

$$Z_1 = 10\text{k}\Omega \quad V_{out} = - 10 V_{in}$$

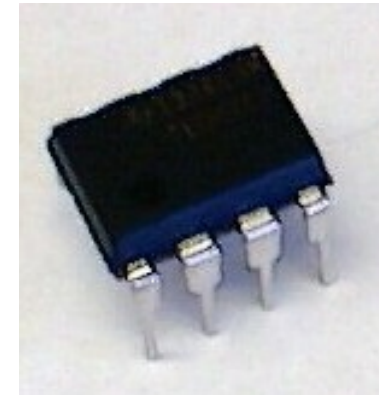
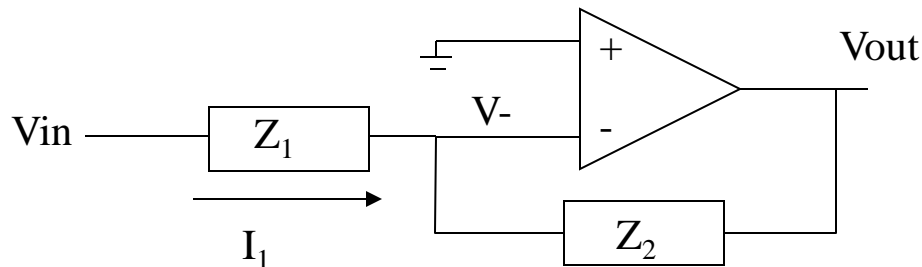
10x gain is a
“reasonable” value

$$\text{Eg 2: } Z_2 = 100\text{k}\Omega$$

$$Z_1 = 1 \Omega \quad V_{out} = - 100,000 V_{in} !!$$

Not likely.... Why?

Analog circuits: **Real** Op-amps



Eg 2: $Z_2 = 100\text{k}\Omega$

$$Z_1 = 1 \Omega$$

$$V_{out} = -100,000 V_{in} !!$$

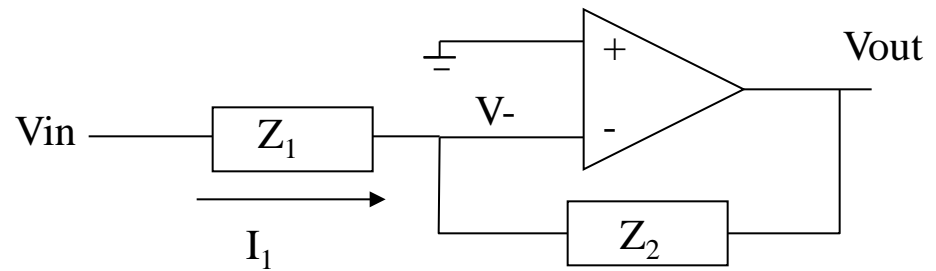
Several problems:

- $I_1 = 1\text{A}$ for $V_{in} = 1\text{V}$!! (excessive load for upstream circuitry)
- Gain Bandwidth product $\sim 3\text{MHz}$. This would limit the bandwidth of the amplifier from DC up to 30 Hz (i.e. not a very responsive system!).

Analog circuits: **Real** Op-amps

Things to consider:

- **Input impedance**
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- Output current limitations

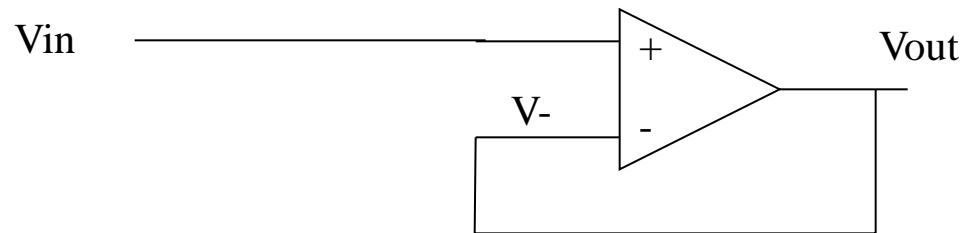


Since V_- is a virtual ground, input impedance seen by V_{in} is Z_1

Analog circuits: **Real** Op-amps

Things to consider:

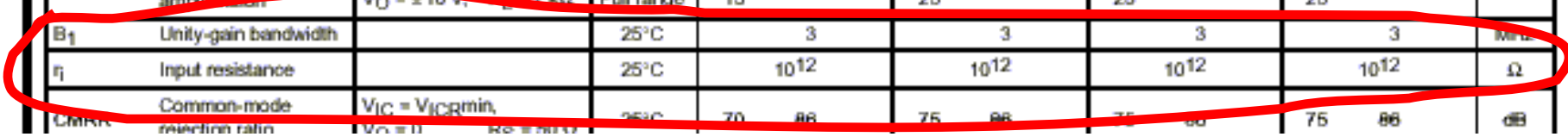
- **Input impedance**
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- Output current limitations



Since Op-amp inputs source or sink very little current (depends on type), input impedance in this case is very high. This is a commonly used buffer to separate your low impedance circuit from a sensitive source that you need to measure without drawing current.

electrical characteristics, $V_{CC\pm} = \pm 15$ V (unless otherwise noted)

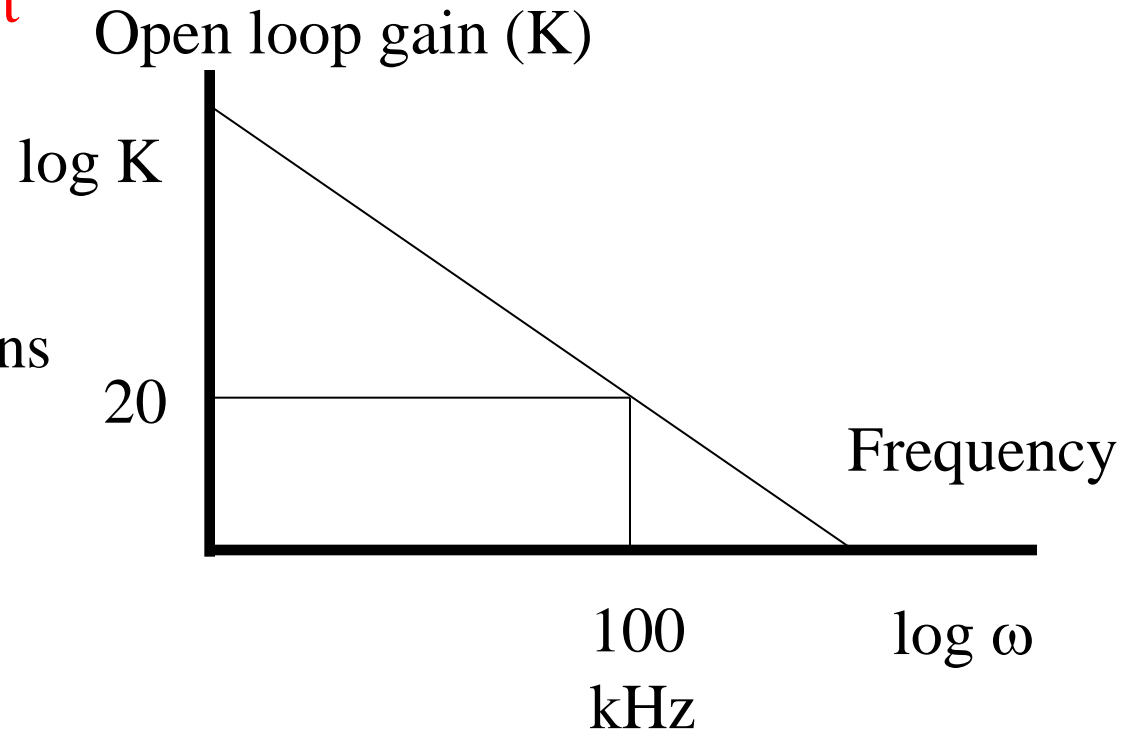
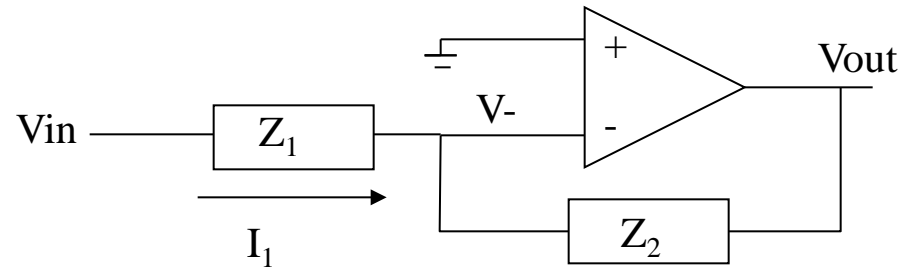
PARAMETER	TEST CONDITIONS	T_A^\dagger	TL081C TL082C TL084C			TL081AC TL082AC TL084AC			TL081BC TL082BC TL084BC			TL0811 TL0821 TL0841			UNIT	
			MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX		
V_{IO}	Input offset voltage	$V_O = 0$ $R_S = 50 \Omega$	25°C		3	15		3	6		2	3		3	6	mV
			Full range			20		7.5		5		9				
αV_{IO}	Temperature coefficient of input offset voltage	$V_O = 0$ $R_S = 50 \Omega$	Full range		18		18		18		18		18		$\mu V/^\circ C$	
I_{IO}	Input offset current †	$V_O = 0$	25°C		5	200		5	100		5	100		5	100	pA
			Full range			2		2		2		10		nA		
I_{IB}	Input bias current ‡	$V_O = 0$	25°C		30	400		30	200		30	200		30	200	pA
			Full range			10		7		7		20		nA		
V_{ICR}	Common-mode input voltage range		25°C	± 11	-12 to 15		± 11	-12 to 15		± 11	-12 to 15		± 11	-12 to 15	V	
V_{OM}	Maximum peak output voltage swing	$R_L = 10 k\Omega$	25°C	± 12	± 13.5		± 12	± 13.5		± 12	± 13.5		± 12	± 13.5	V	
			Full range	$R_L \geq 10 k\Omega$	± 12			± 12			± 12			± 12		
				$R_L \geq 2 k\Omega$	± 10	± 12		± 10	± 12		± 10	± 12		± 10		± 12
A_{VD}	Large-signal differential voltage amplification	$V_O = \pm 10$ V, $R_L \geq 2 k\Omega$	25°C	25	200		50	200		50	200		50	200	V/mV	
			Full range	15			25			25			25			
f_1	Unity-gain bandwidth		25°C		3		3		3		3		3	MHz		
r_i	Input resistance		25°C		10^{12}		10^{12}		10^{12}		10^{12}		10^{12}	Ω		
$CMRR$	Common-mode rejection ratio	$V_{IC} = V_{ICRmin}$ $V_O = 0$ $R_S = 50 \Omega$	25°C	70	88		75	88		75	88		75	88	dB	



Analog circuits: **Real** Op-amps

Things to consider:

- Input impedance
- **Gain Bandwidth product**
- Bias Currents
- Voltage limitations
- Output current limitations



Slew-rate is a similar limit: it is a limit on the rate of change of output voltage

$$\text{Gain-Bandwidth limit (Hz)} = \text{Gain} * \text{Max. Frequency} = \text{CONSTANT}$$

electrical characteristics, $V_{CC\pm} = \pm 15\text{ V}$ (unless otherwise noted)

PARAMETER	TEST CONDITIONS	T_A^\dagger	TL081C TL082C TL084C			TL081AC TL082AC TL084AC			TL081BC TL082BC TL084BC			TL081I TL082I TL084I			UNIT	
			MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX		
V_{IO}	Input offset voltage	$V_O = 0$ $R_S = 50\ \Omega$	25°C		3	15		3	6		2	3		3	6	mV
			Full range			20			7.5			5			9	
αV_{IO}	Temperature coefficient of input offset voltage	$V_O = 0$ $R_S = 50\ \Omega$	Full range		18		18		18		18		18		$\mu\text{V}/^\circ\text{C}$	
I_{IO}	Input offset current ‡	$V_O = 0$	25°C		5	200		5	100		5	100		5	100	pA
			Full range			2		2		2		2		10	nA	
I_{IB}	Input bias current ‡	$V_O = 0$	25°C		30	400		30	200		30	200		30	200	pA
			Full range			10		7		7		7		20	nA	
V_{ICR}	Common-mode input voltage range		25°C	± 11	-12 to 15		± 11	-12 to 15		± 11	-12 to 15		± 11	-12 to 15	V	
V_{OM}	Maximum peak output voltage swing	$R_L = 10\ \text{k}\Omega$	25°C	± 12	± 13.5		± 12	± 13.5		± 12	± 13.5		± 12	± 13.5	V	
			Full range	± 12		± 12		± 12		± 12		± 12				
				± 10	± 12	± 10	± 12	± 10	± 12	± 10	± 12					
A_{vD}	Large-signal differential voltage amplification	$V_O = \pm 10\ \text{V}$, $R_L \geq 2\ \text{k}\Omega$	25°C	25	200		50	200		50	200		50	200	V/mV	
			Full range	15		25		25		25						
f_{t1}	Unity-gain bandwidth		25°C		3		3		3		3		3	MHz		
r_{in}	Input resistance		25°C		10^{12}		10^{12}		10^{12}		10^{12}		10^{12}	Ω		
CMRR	Common-mode rejection ratio	$V_{IC} = V_{ICRmin}$, $V_O = 0$ $R_e = 50\ \Omega$	25°C	70	86		75	86		75	86		75	86	dB	

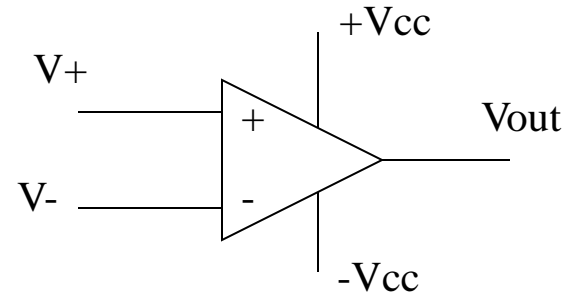
TL082: Gain*Bandwidth = 3 MHz

➔ This means that at a gain of 100, Bandwidth is 30 kHz.

Analog circuits: **Real Op-amps**

Things to consider:

- Input impedance
- Gain Bandwidth product
- Bias Currents
- **Voltage limitations**
- Output current limitations



Op-amp input voltages (V_+ , V_-) must be at least a few volts away from the power rails ($+V_{cc}$, $-V_{cc}$).

Applying input voltages equal or near the power rails will cause the Op-amp to behave unexpectedly.

Rail-to-rail Op-amps are an expensive solution to this limitation.

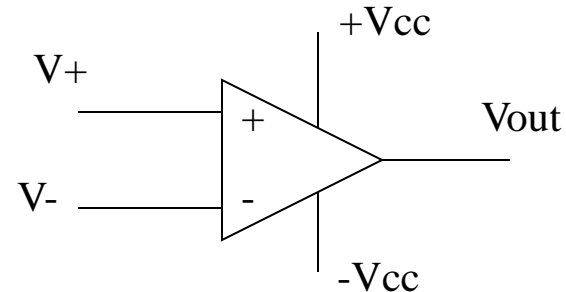
electrical characteristics, $V_{CC\pm} = \pm 15\text{ V}$ (unless otherwise noted)

PARAMETER	TEST CONDITIONS	T_A^\dagger	TL081C TL082C TL084C			TL081AC TL082AC TL084AC			TL081BC TL082BC TL084BC			TL081I TL082I TL084I			UNIT
			MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	
V_{IO} Input offset voltage	$V_O = 0$ $R_S = 50\ \Omega$	25°C		3	15		3	8		2	3		3	6	mV
		Full range			20			7.5			5			9	
α_{VIO} Temperature coefficient of input offset voltage	$V_O = 0$ $R_S = 50\ \Omega$	Full range		18			18			18			18	$\mu\text{V}/^\circ\text{C}$	
I_{IO} Input offset current [‡]	$V_O = 0$	25°C		5	200		5	100		5	100		5	100	pA
		Full range			2			2			2			10	nA
I_{IB} Input bias current [‡]	$V_O = 0$	25°C		30	400		30	200		30	200		30	200	pA
		Full range			10			7			7			20	nA
V_{ICR} Common-mode input voltage range		25°C	± 11	-12 I_O 15		± 11	-12 I_O 15		± 11	-12 I_O 15		± 11	-12 I_O 15	V	
V_{OM} Maximum peak output voltage swing	$R_L = 10\ \text{k}\Omega$	25°C	± 12	± 13.5		± 12	± 13.5		± 12	± 13.5		± 12	± 13.5	V	
	$R_L \geq 10\ \text{k}\Omega$ $R_L \geq 2\ \text{k}\Omega$	Full range	± 12	± 12		± 12	± 12		± 12	± 12		± 12	± 12		
A_{VD} Large-signal differential voltage amplification	$V_O = \pm 10\ \text{V}$, $R_L \geq 2\ \text{k}\Omega$	25°C	25	200		50	200		50	200		50	200	V/mV	
	$V_O = \pm 10\ \text{V}$, $R_L \geq 2\ \text{k}\Omega$	Full range	15			25			25			25			
f_{T1} Unity-gain bandwidth		25°C		3			3			3			3	MHz	
r_i Input resistance		25°C		10^{12}			10^{12}			10^{12}			10^{12}	Ω	
CMRR Common-mode rejection ratio	$V_{IC} = V_{ICRmin}$, $V_O = 0$ $R_e = 50\ \Omega$	25°C	70	86		75	86		75	86		75	86	dB	

Analog circuits: **Real Op-amps**

Things to consider:

- Input impedance
- Gain Bandwidth product
- Bias Currents
- Voltage limitations
- **Output current / voltage limitations**



Op-amp output terminals can only provide a few mA of current. Motors, lamps and similar high current devices cannot typically be driven by a normal OP-amp. High power Op-amps exist that can provide much higher current levels. Output voltage range is also limited within a few volts of the power rails.

MAXIMUM PEAK OUTPUT VOLTAGE
vs
LOAD RESISTANCE

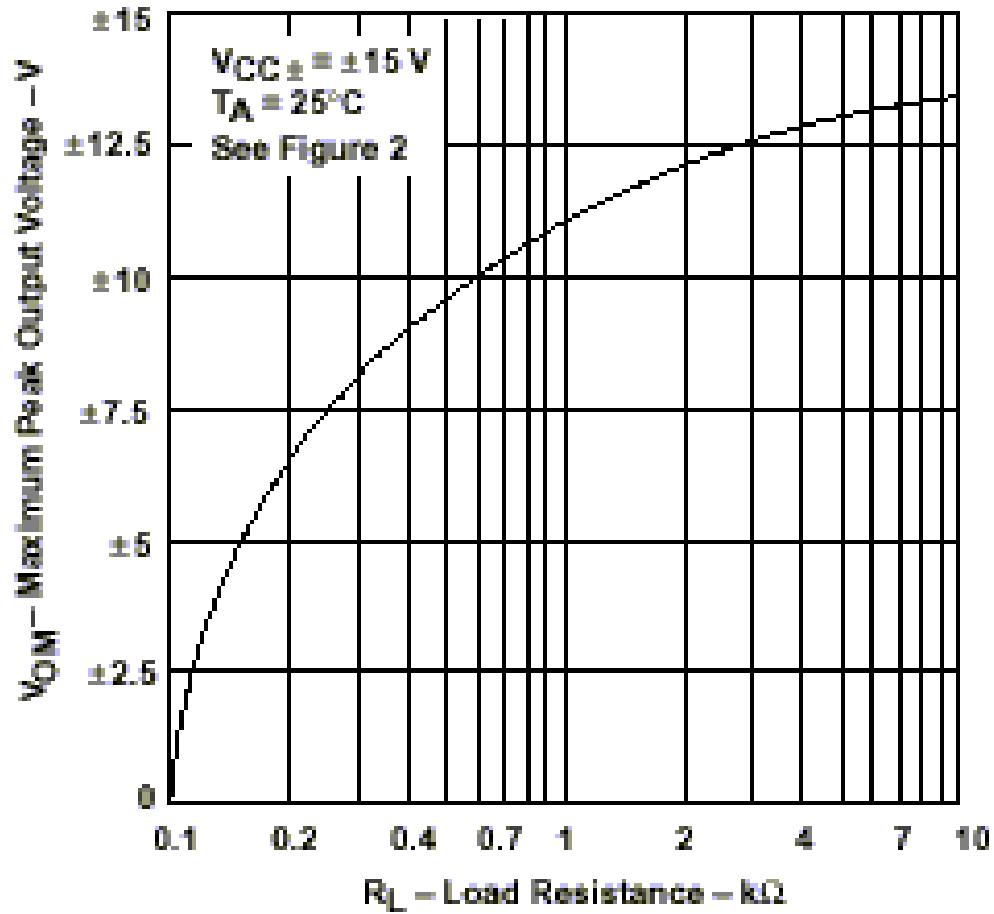
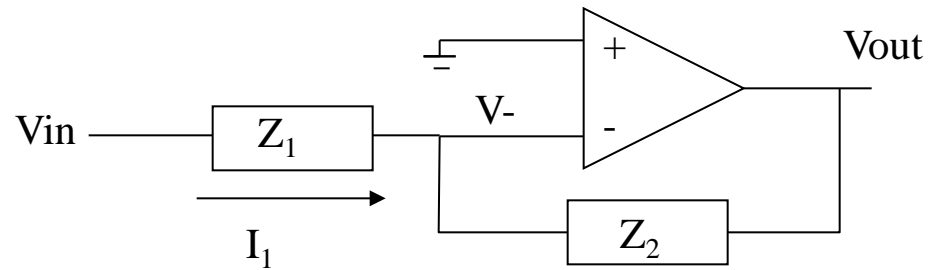


Figure 9

Analog circuits: **Real Op-amps**

Things to consider:

- Input impedance
- Gain Bandwidth product
- **Bias Currents**
- Voltage limitations
- Output current limitations



Op-amp terminals can act as small current sources. These Bias Currents can become large error or offset voltages if the resistors in the circuit are large.

Eg: 20 nA bias current * 10 M Ω = 200 mV!

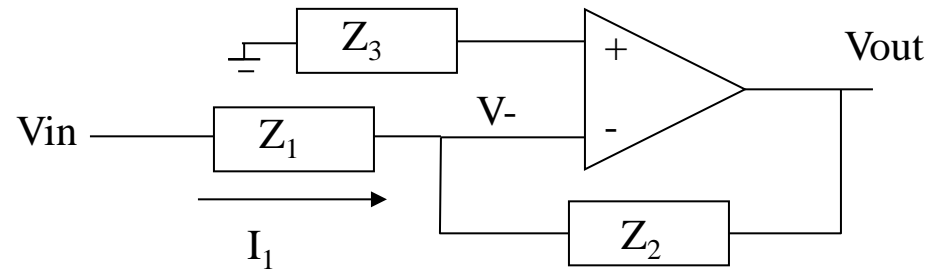
electrical characteristics, $V_{CC\pm} = \pm 15 \text{ V}$ (unless otherwise noted)

PARAMETER	TEST CONDITIONS	T_A^\dagger	TL081C TL082C TL084C			TL081AC TL082AC TL084AC			TL081BC TL082BC TL084BC			TL081I TL082I TL084I			UNIT	
			MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX	MIN	TYP	MAX		
V_{IO}	Input offset voltage	$V_O = 0$ $R_S = 50 \Omega$	25°C		3	15		3	6		2	3		3	6	mV
			Full range			20		7.5		5		9				
αV_{IO}	Temperature coefficient of input offset voltage	$V_O = 0$ $R_S = 50 \Omega$	Full range		18		18		18		18		18		$\mu\text{V}/^\circ\text{C}$	
I_{IO}	Input offset current †	$V_O = 0$	25°C		5	200		5	100		5	100		5	100	pA
			Full range			2		2		2		10		nA		
I_{IB}	Input bias current ‡	$V_O = 0$	25°C		30	400		30	200		30	200		30	200	pA
			Full range			10		7		7		20		nA		
V_{ICR}	Common-mode input voltage range		25°C	± 11	-12 to 15		± 11	-12 to 15		± 11	-12 to 15		± 11	-12 to 15	V	
V_{OM}	Maximum peak output voltage swing	$R_L = 10 \text{ k}\Omega$	25°C	± 12	± 13.5		± 12	± 13.5		± 12	± 13.5		± 12	± 13.5	V	
		$R_L \geq 10 \text{ k}\Omega$	Full range	± 12		± 12		± 12		± 12		± 12				
		$R_L \geq 2 \text{ k}\Omega$		± 10	± 12	± 10	± 12	± 10	± 12	± 10	± 12					
A_{VD}	Large-signal differential voltage amplification	$V_O = \pm 10 \text{ V}$, $R_L \geq 2 \text{ k}\Omega$	25°C	25	200		50	200		50	200		50	200	V/mV	
		$V_O = \pm 10 \text{ V}$, $R_L \geq 2 \text{ k}\Omega$	Full range	15		25		25		25						
B_1	Unity-gain bandwidth		25°C		3		3		3		3		3	MHz		
r_i	Input resistance		25°C		10^{12}		10^{12}		10^{12}		10^{12}		10^{12}	Ω		
CMRR	Common-mode rejection ratio	$V_{IC} = V_{ICRmin}$, $V_O = 0$ $R_e = 50 \Omega$	25°C	70	88		75	88		75	88		75	88	dB	

Analog circuits: **Real Op-amps**

Things to consider:

- Input impedance
- Gain Bandwidth product
- **Bias Currents**
- Voltage limitations
- Output current limitations



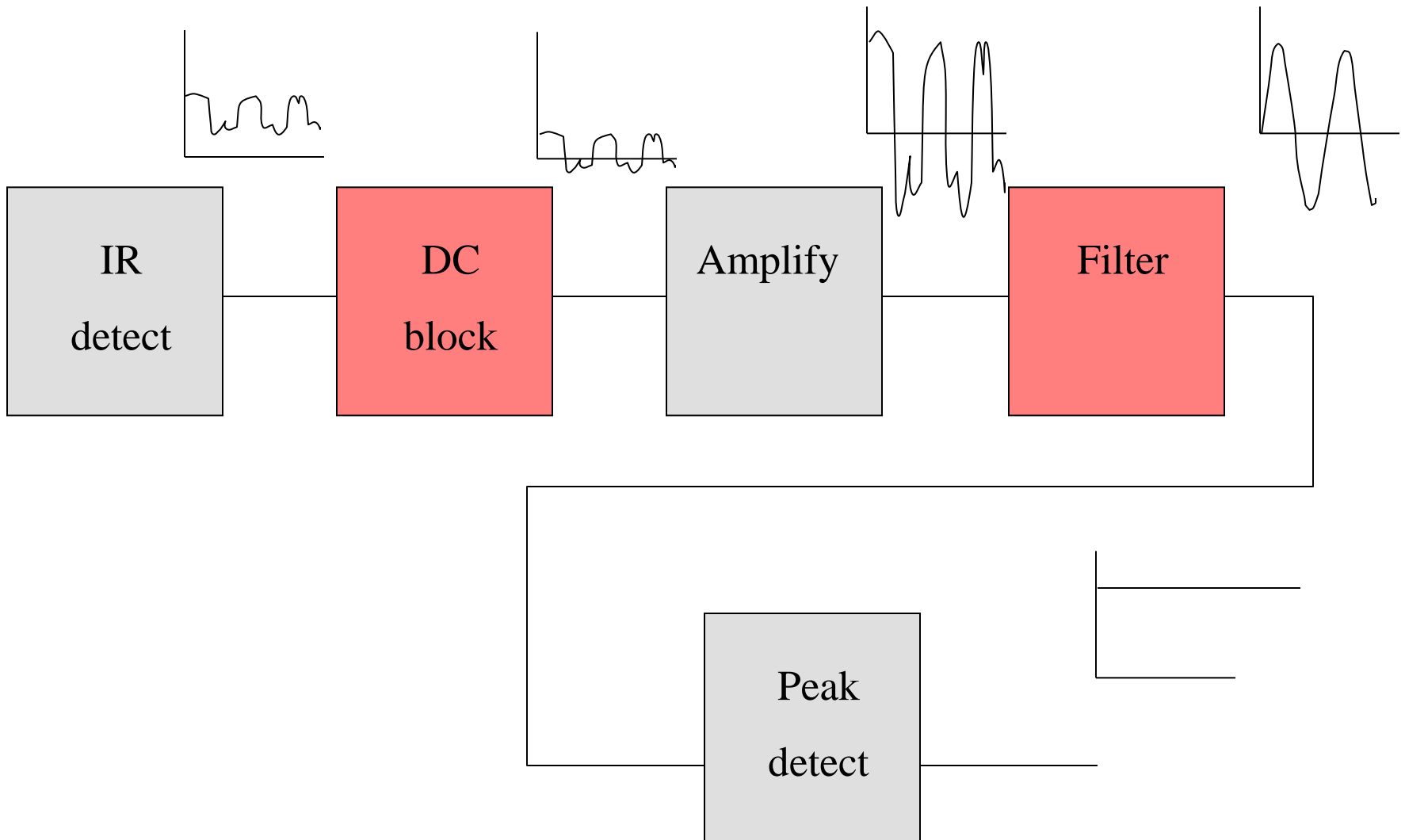
The circuit above corrects for bias current induced error and is now only subject to offset current. $Z_3 = Z_1 || Z_2$

Analog circuits: **Real** Op-amps

Summary:

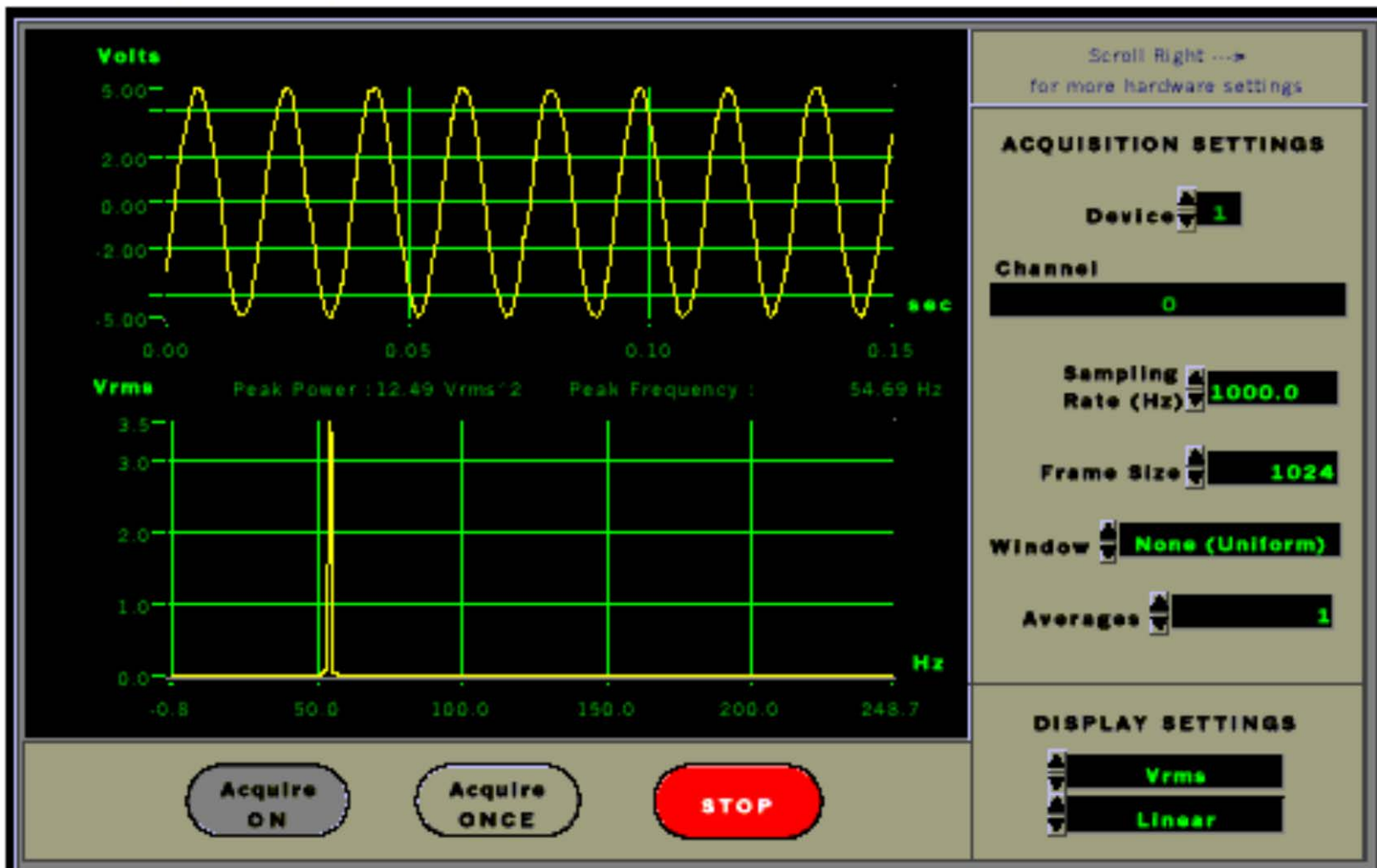
- Keep resistors in 1K to 500K range unless you really know what you're doing.
- Don't ask a single amplifier to provide huge gains ($>30?$)
- Don't drive motors, lamps, or other heavy loads with a normal op-amp (power op-amps exist for this, or use a transistor)
- Keep input voltages away from the op-amp voltage rails (unless using rail-to-rail opamps)

Analog circuits – filtering and detection



Analog circuits: **Filters**

To understand filters you should first understand the difference between the TIME DOMAIN and FREQUENCY DOMAIN



Analog circuits: **Filters**

“Transfer Function” = $V_{out}/V_{in} = H(\omega)$

So: $V_{out}(\omega) = H(\omega) * V_{in}(\omega)$

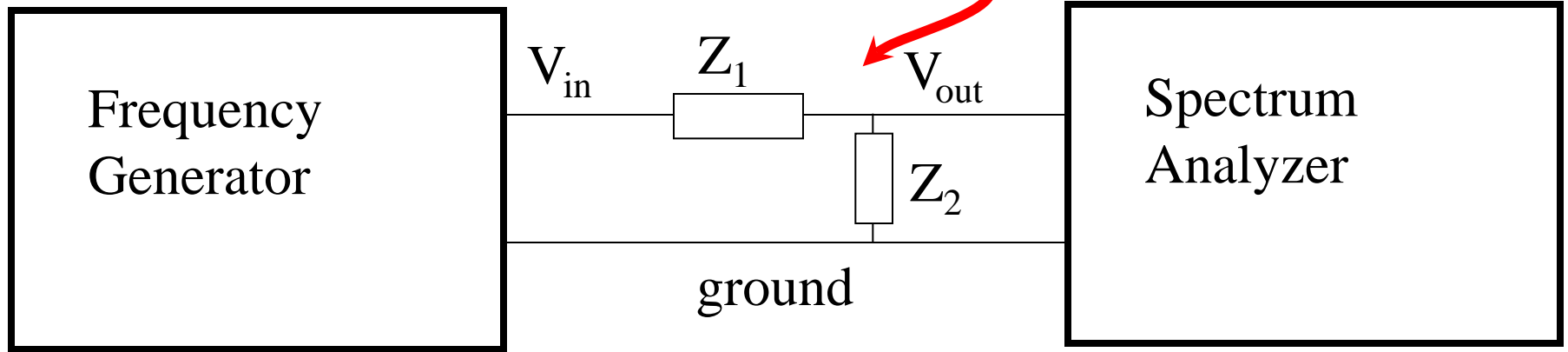
$$Z_{cap} = 1/j \omega C$$

$$Z_{ind} = j \omega L$$

$$Z_{res} = R$$

This is all in terms of ω since, in general, impedances are functions of ω .

Similar to voltage divider: except ω dependent.



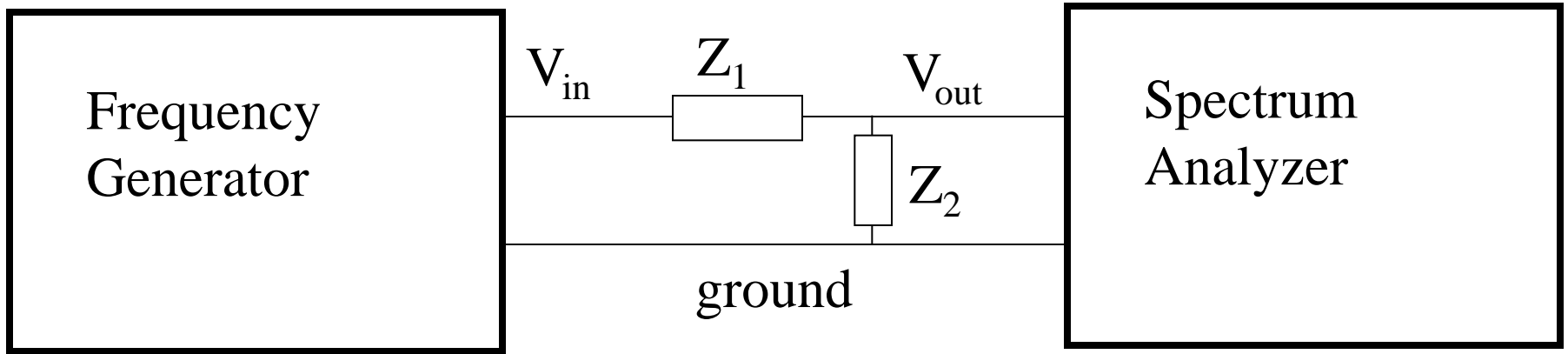
Analog circuits: **Filters**

$$V_{\text{out}}(\omega) = [V_{\text{in}}(\omega)/(Z_1+Z_2)]*Z_2$$

$$H(\omega) = \frac{Z_2}{Z_1 + Z_2}$$

So: $H(\omega) = Z_2/(Z_1+Z_2)$

For resistors, this is just the well known voltage divider: $R_2/(R_1+R_2)$



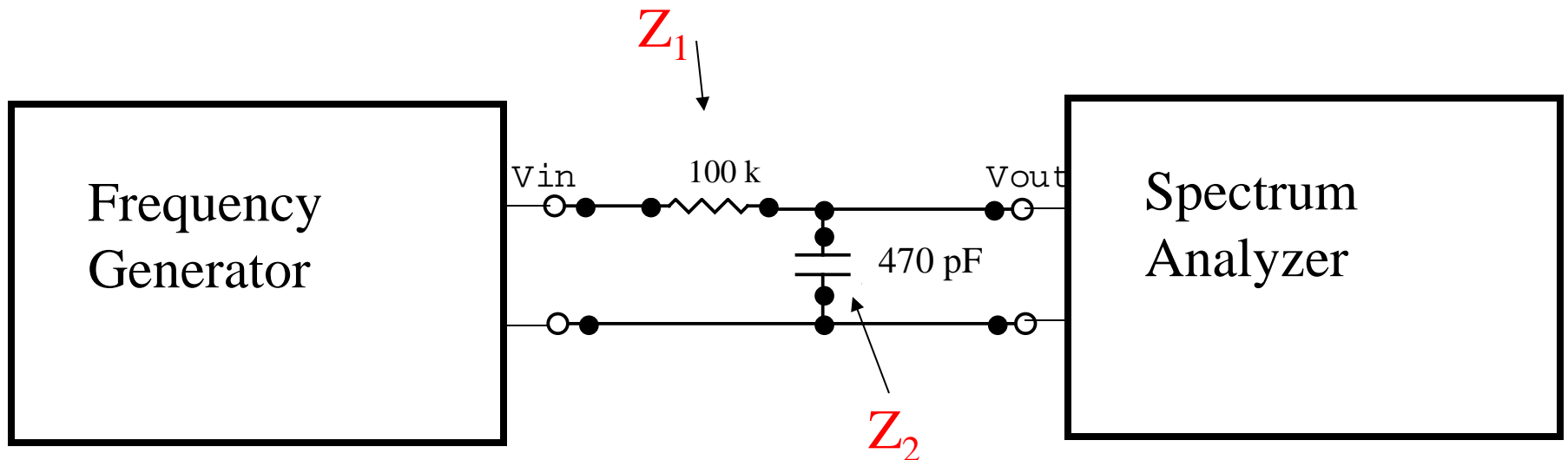
Analog circuits: **Filters**

Now plug in a resistor and a capacitor:

$$Z_2 = 1/j\omega C \longrightarrow H(\omega) = \frac{1/j\omega C}{R + 1/j\omega C}$$

$$Z_1 = R$$

$$= \frac{1}{1 + j\omega RC}$$



Analog circuits: **Filters**

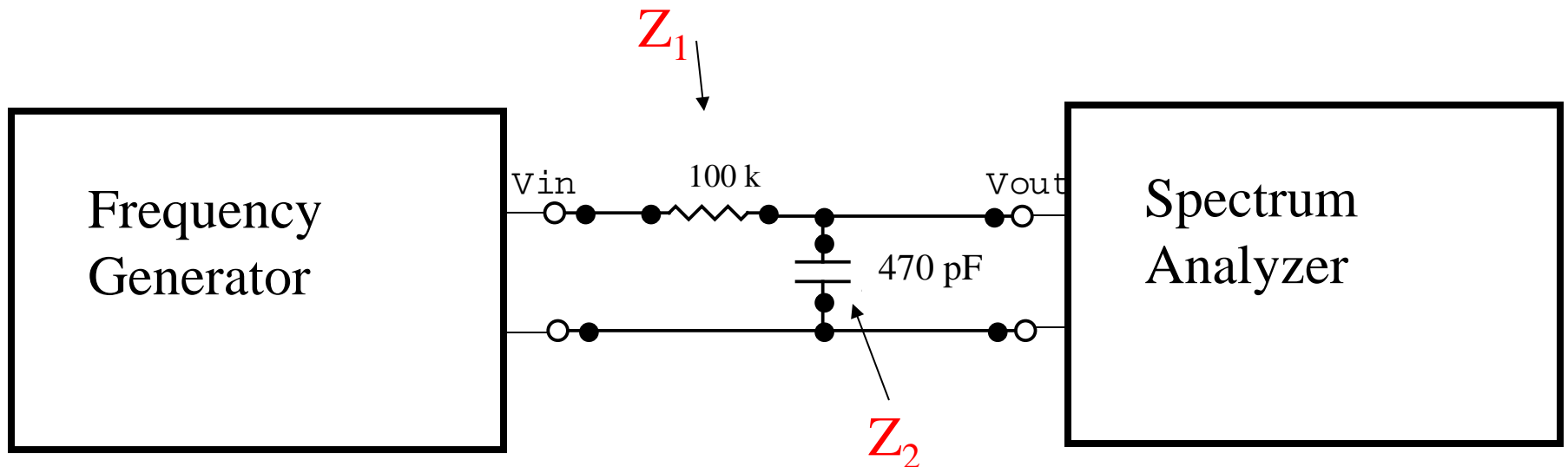
$$H(\omega) = \frac{1}{1 + j\omega RC}$$

For low frequencies (small ω), $H = 1$

For high frequencies (large ω), $H = 0$

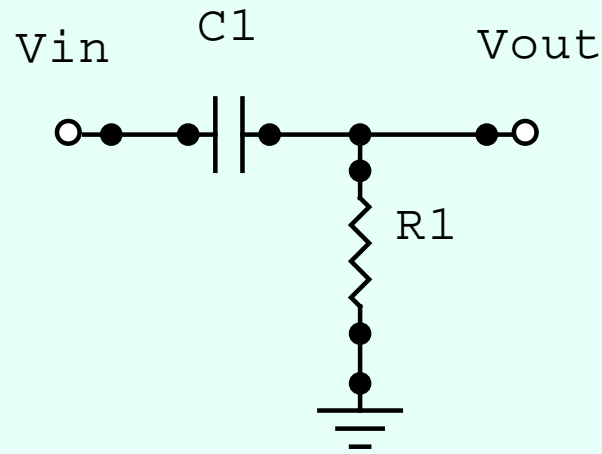
This is a LOW PASS FILTER

At $\omega = 1/RC$, H begins to decrease in amplitude.

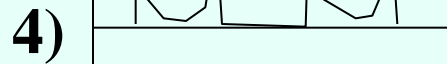
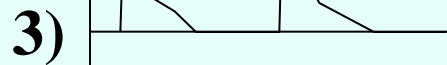
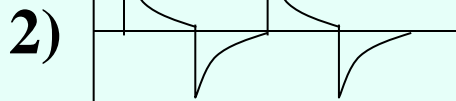
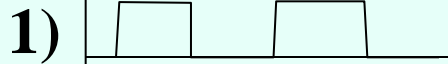
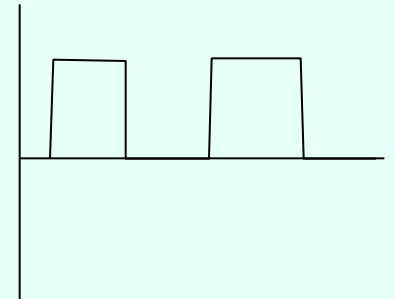


$$f_0 = 1/(2\pi RC) = 3.3\text{ kHz}$$

Analog circuits: **Filters**



How does this circuit affect the following waveform:



Analog circuits: **Transfer Functions**

Bode plots: a graphical representation of frequency response on logarithmic axes.

Vertical axis:

$$20\log_{10}(H)$$

(20 is used instead of 10 so the result will represent power $\sim V^2$)

-3 dB = $\frac{1}{2}$ as much power as 0 dB

V_{out} is $1/\sqrt{2}$ of V_{in} at -3dB

Horizontal axis:

$$\log_{10}(f)$$

Log of frequency is used to ensure linear plots from $1/f$ or $1/f^n$ functions

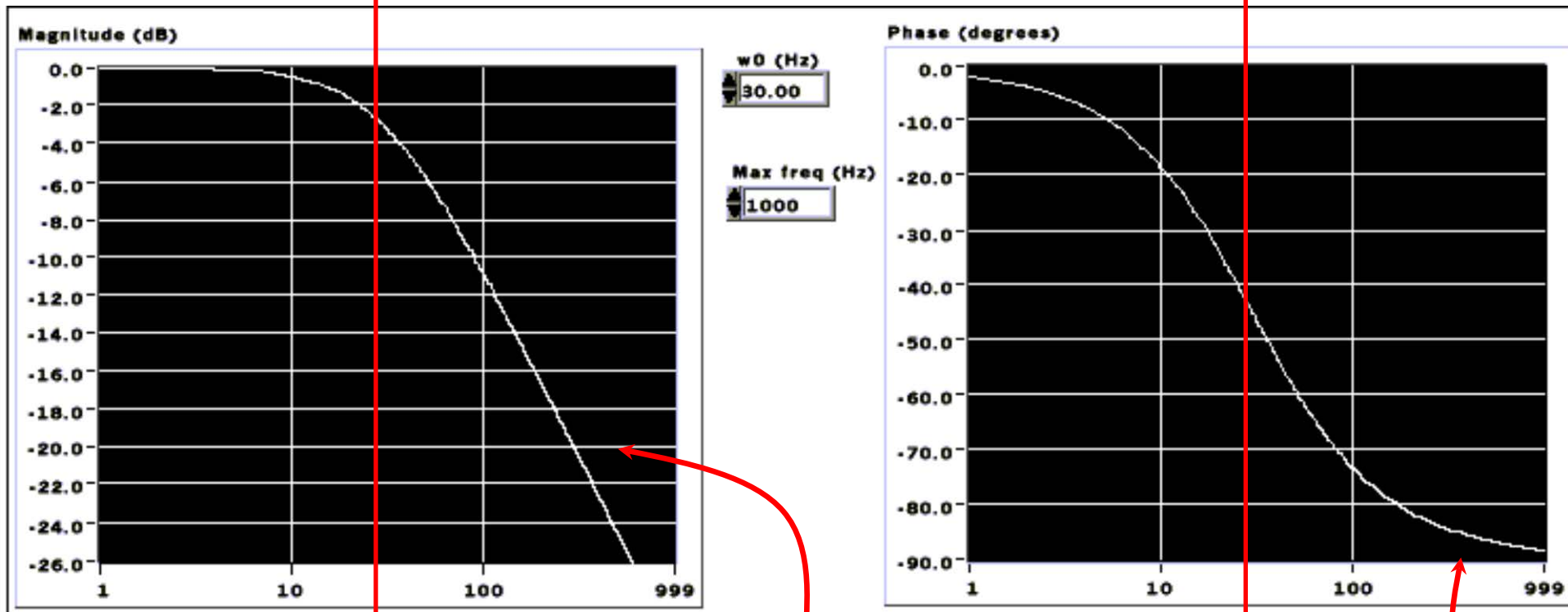
Pole: $1/(1+j\omega/\omega_0)$ -20 db/decade in amplitude after ω_0 , -90 phase

Zero: $(1+j\omega/\omega_0)$ +20 db/decade in amplitude after ω_0 , +90 phase

Analog circuits: **Simple Pole**

$$H(\omega) = \frac{1}{1 + j\omega RC}$$

Bode Plot:



-3dB, 1/RC

-20db/decade

- 45 deg, 1/RC

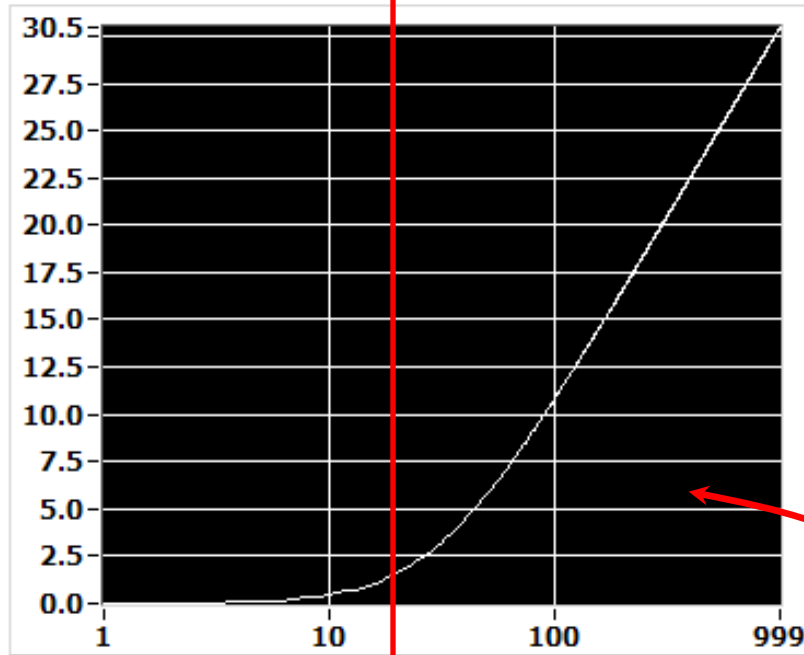
-90 deg

Analog circuits: **Simple Zero**

$$H(\omega) = 1 + j\omega RC$$

Bode Plot:

Magnitude (dB)



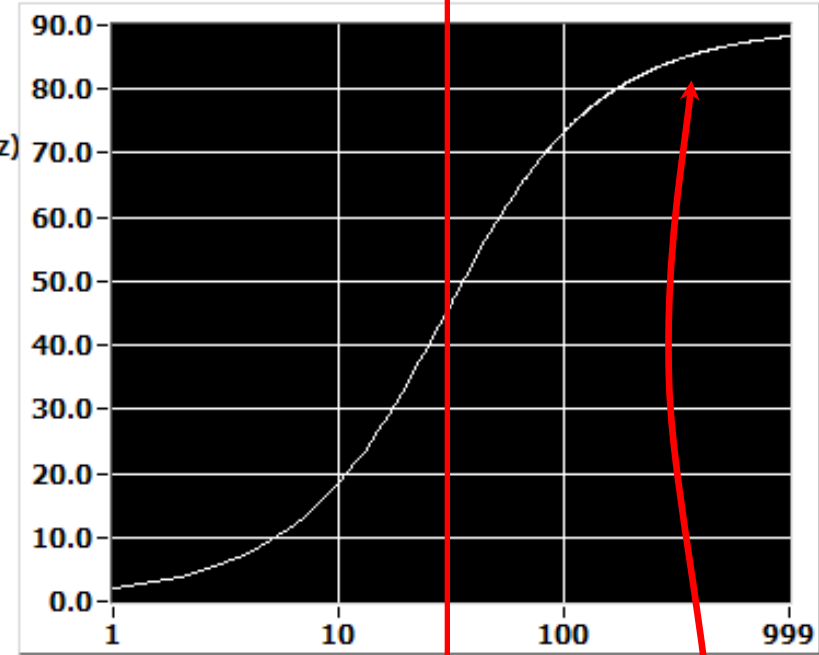
w0 (Hz)

30.00

Max freq (Hz)

1000

Phase (degrees)



+3dB, 1/RC

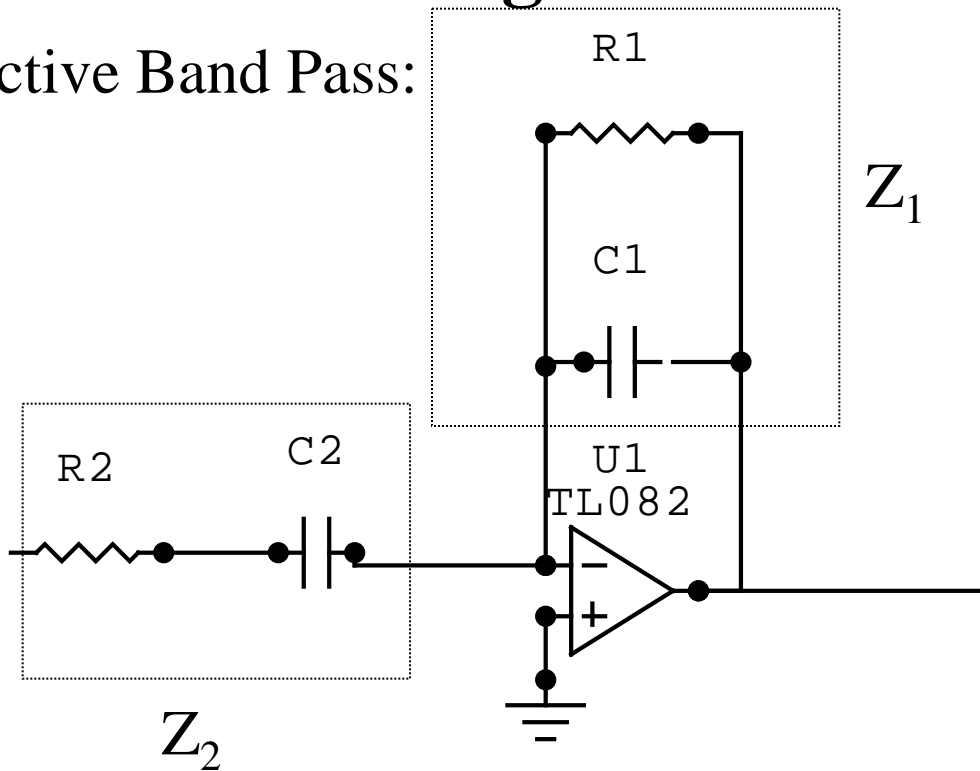
+20db/decade

+45 deg, 1/RC

+90 deg

Analog circuits: Active Filters

Active Band Pass:



Combines a high and a low pass filter to create a pass “band”.

$$H = - (Z_1/Z_2)$$

Zero at $\omega=0$

$$H(\omega) = \frac{j\omega R_1 C_2}{(1 + j\omega R_2 C_2)(1 + j\omega R_1 C_1)}$$

Pole at $\omega=1/(R_2 C_2)$

Pole at $\omega=1/(R_1 C_1)$

Analog circuits: **Transfer Functions**

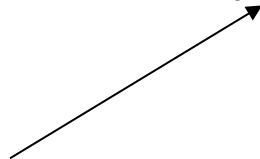
Bode plots: a graphical representation of frequency response on logarithmic axes.

$$H(\omega) = - \frac{j\omega R_1 C_2}{(1 + j\omega R_2 C_2)(1 + j\omega R_1 C_1)}$$

Zero at $\omega=0$



Pole at $\omega=1/(R_2 C_2)$



Pole at $\omega=1/(R_1 C_1)$

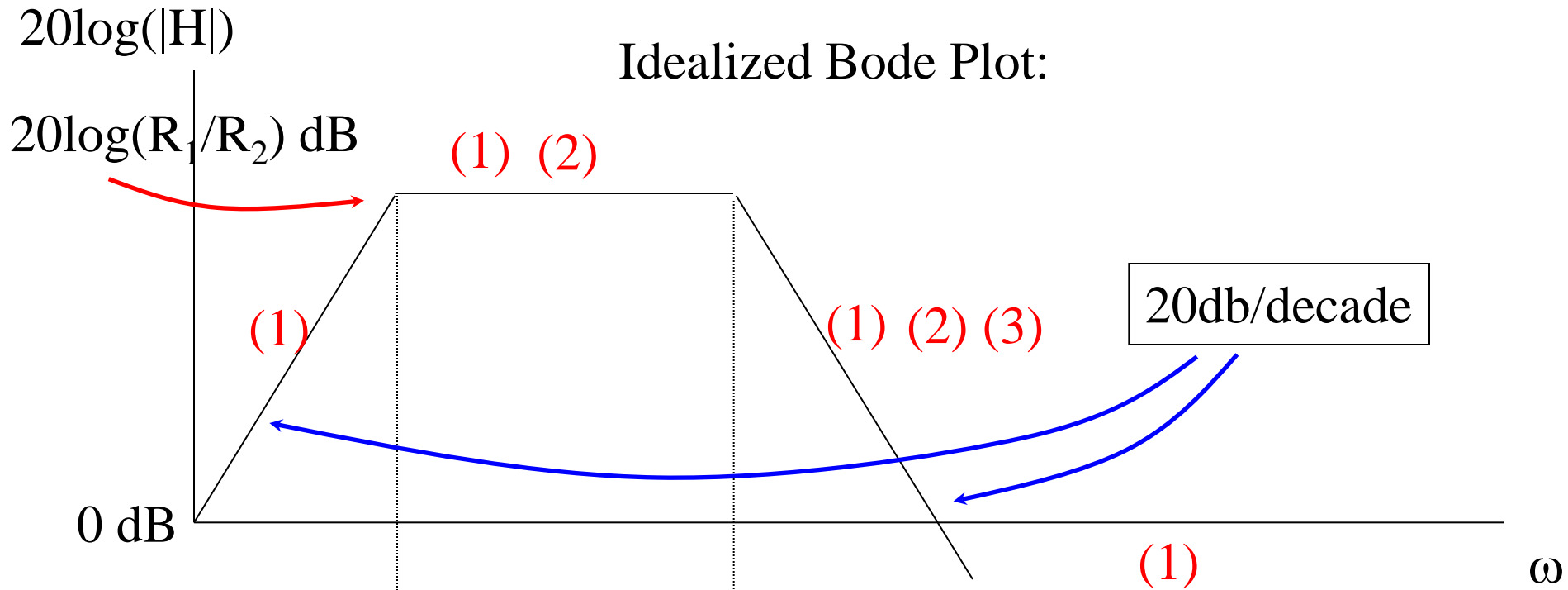


Pole: $1/(1+j\omega/\omega_0)$ -20 db/decade in amplitude after ω_0 , -90 phase

Zero: $(1+j\omega/\omega_0)$ +20 db/decade in amplitude after ω_0 , +90 phase

Analog circuits: Active Filters

Idealized Bode Plot:



$1/(R_2C_2)$

$1/(R_1C_1)$

Zero at $\omega=0$

$$H(\omega) = - \frac{j\omega R_1 C_2}{(1 + j\omega R_2 C_2)(1 + j\omega R_1 C_1)}$$

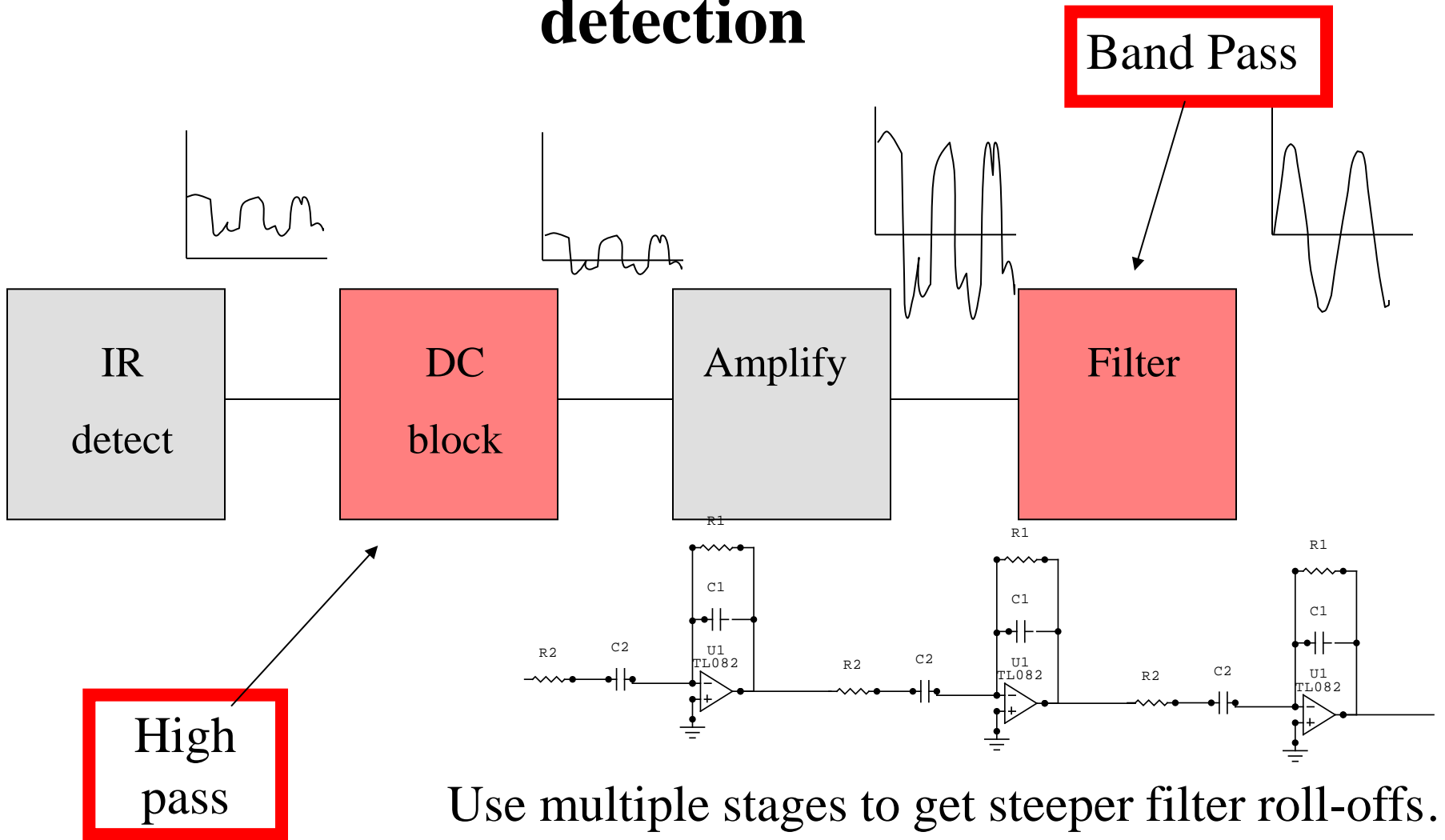
(2)

Pole at $\omega=1/(R_2C_2)$

(3)

Pole at $\omega=1/(R_1C_1)$

Analog circuits – filtering and detection

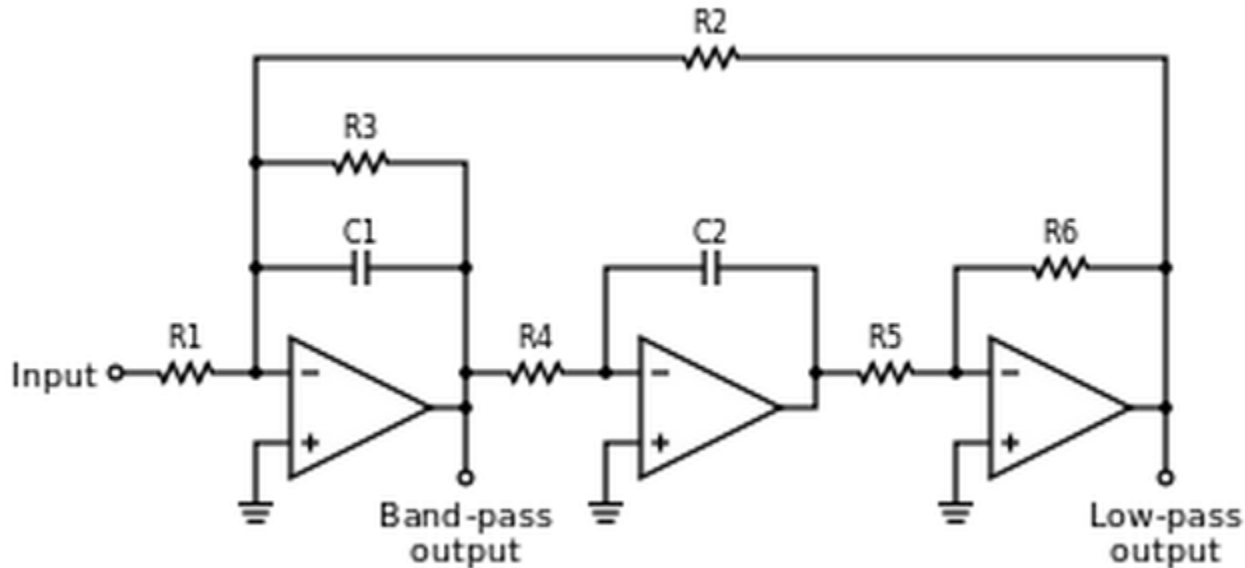


Use multiple stages to get steeper filter roll-offs...

$$H_{\text{tot}}(\omega) = H_1(\omega) * H_2(\omega) * H_3(\omega)$$

Remember -20dB/dec for each POLE

More advanced filters: Biquad



with bandpass gain $G_{bpf} = -R_4/R_2$. In both cases, the

- Natural frequency is $\omega_0 = 1/\sqrt{R_2R_4C_1C_2}$.
- Quality factor is $Q = \sqrt{\frac{R_3^2C_1}{R_2R_4C_2}}$.

The bandwidth is approximated by $B = \omega_0/Q$.

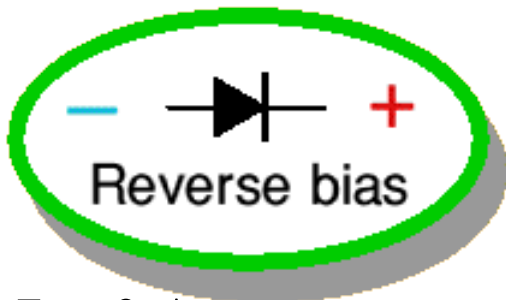
Discrete devices: diodes



Forward bias

$$\Delta V = 0.7 \text{ V}$$

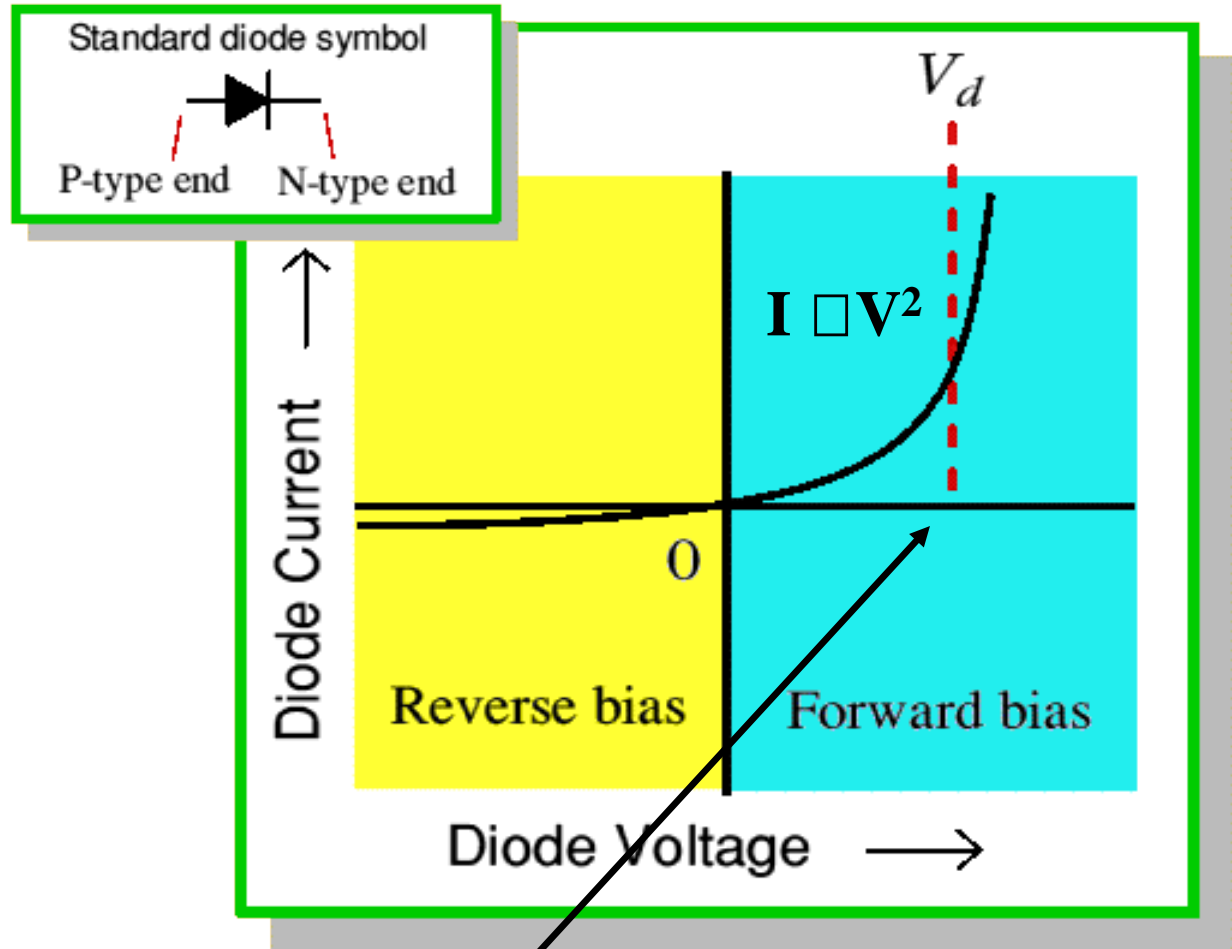
Treat as conductor



Reverse bias

$$I = 0 \text{ A}$$

Treat as open circuit

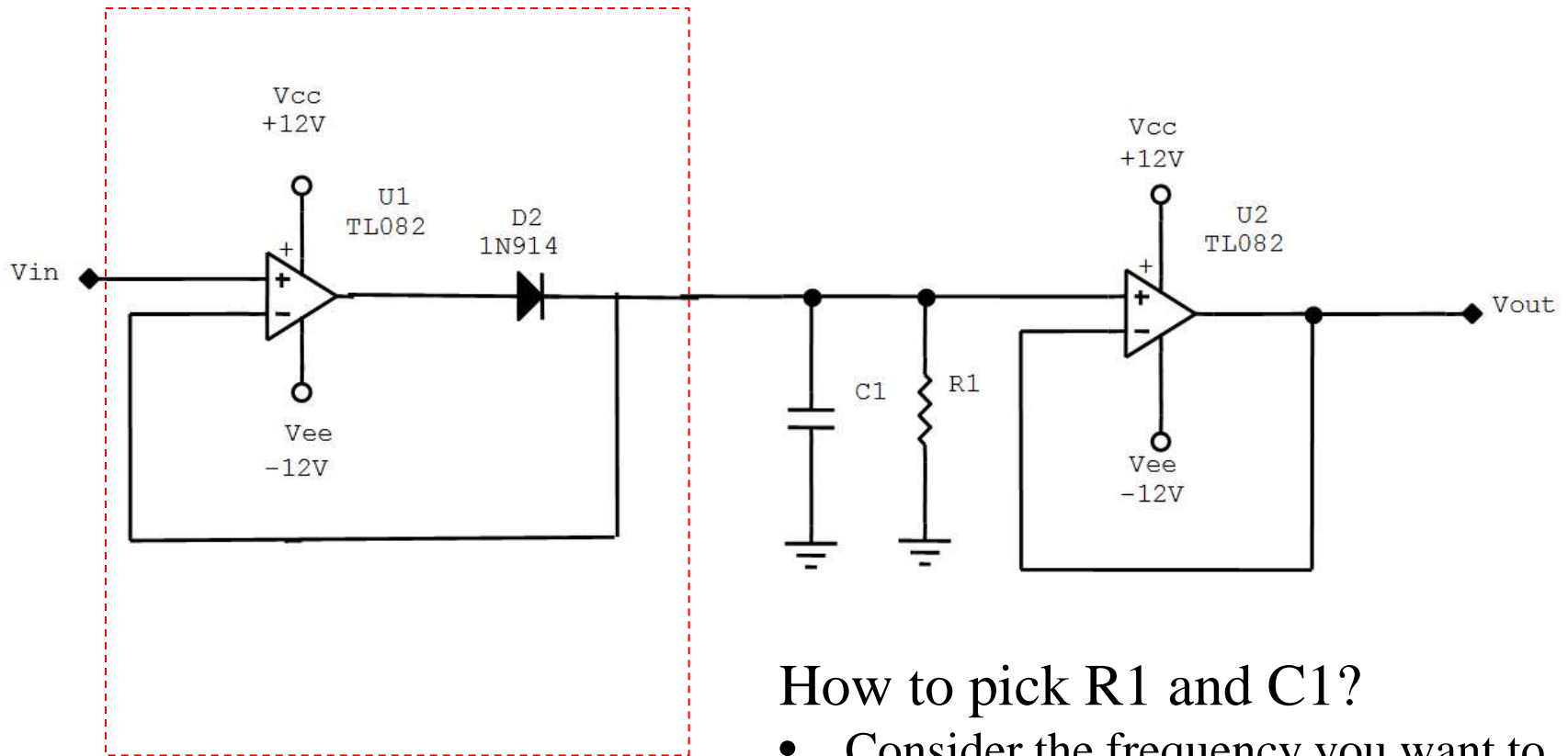


Typical $\sim 0.7 \text{ V}$

SUPER-DIODE rectifier circuit

This circuit acts like a perfect diode, without the 0.7V deadband prior to turn-on.

What bad thing happens if R1 is too big?



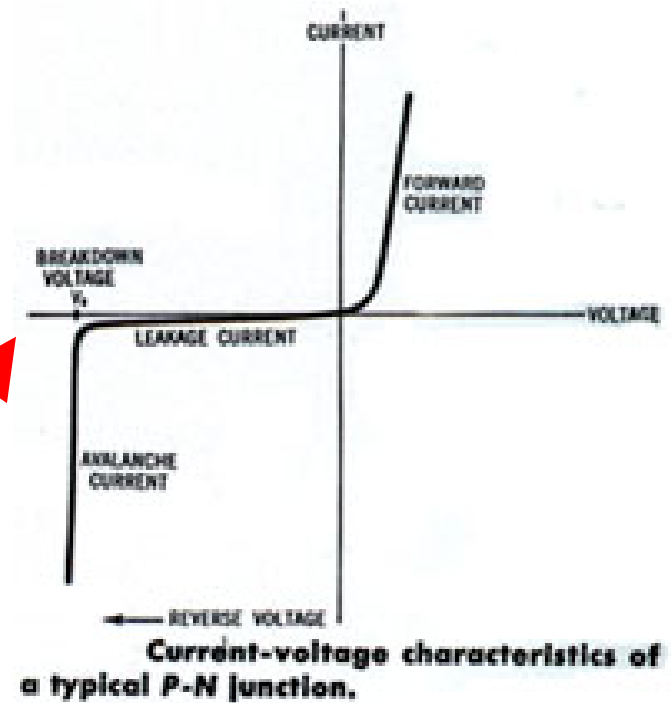
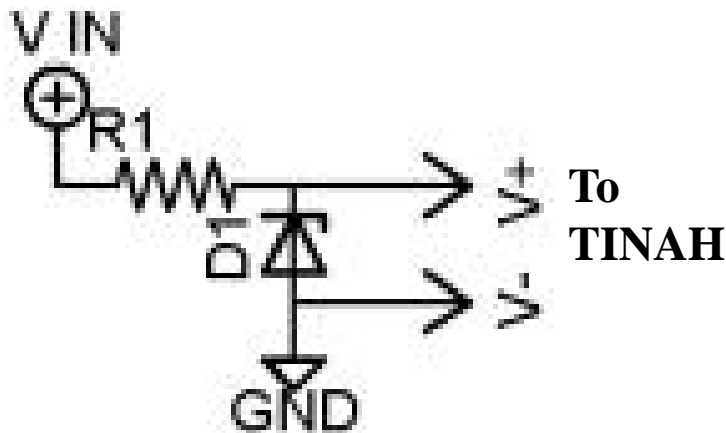
How to pick R1 and C1?

- Consider the frequency you want to filter out
- Consider the response time you want

Zener Diodes

Use 5V Zener Diodes to protect your TINAH Board

Zener diodes (5V1)



Zener diodes conduct under reverse bias when a specific voltage is exceeded – in our case 5.1V

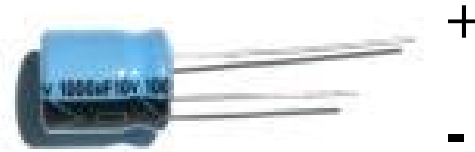
Debugging Circuits

Learn to systematically check your circuits:

- **Power rails:**
 - Check that 15V is really 15V; if not, localize the component that is shorting the power rail. Check power at each chip.
- **Physical check:**
 - Check pinouts, missing/loose wires, etc.
- **Isolate stages** where possible
 - Check output of stage 1 – if ok plug into stage 2 and see if stage 1 output is degraded.
 - If ok, check output of stage 2 etc
- **Keep wiring TIDY!**

Lab 2 Tips

• Capacitors – electrolytic capacitors have polarity, may explode if inserted backwards



• Gain – make sure that gain does not saturate the signal, this will generate unwanted noise after filtering.

